

Jet quenching in high-energy heavy-ion collisions

International School QGP & HIC

Torino, Dec. 8th - 13th 2008

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Plan of lectures

1st

0. **Introduction**: QCD matter, Heavy-ions, jet-quenching

1. **High- p_T leading hadron** suppression:

- pQCD factorization, quenching factor (R_{AA}): QGP q -hat, dN^g/dy
- $R_{AA}(p_T, \sqrt{s}, \text{cent}, L, m_q)$: data versus **parton energy loss** models

2nd

2. **High- p_T dihadron** correlations

- Away-side suppression: QGP q -hat
- Away-side splitting: QGP **speed-of-sound(?)**

3rd

3. **Full jet measurements**:

- **Reconstruction**: Clustering algo, bckgd subtraction, corrections
- γ -jet: medium Fragmentation-Functions: QGP q -hat

0. Introduction

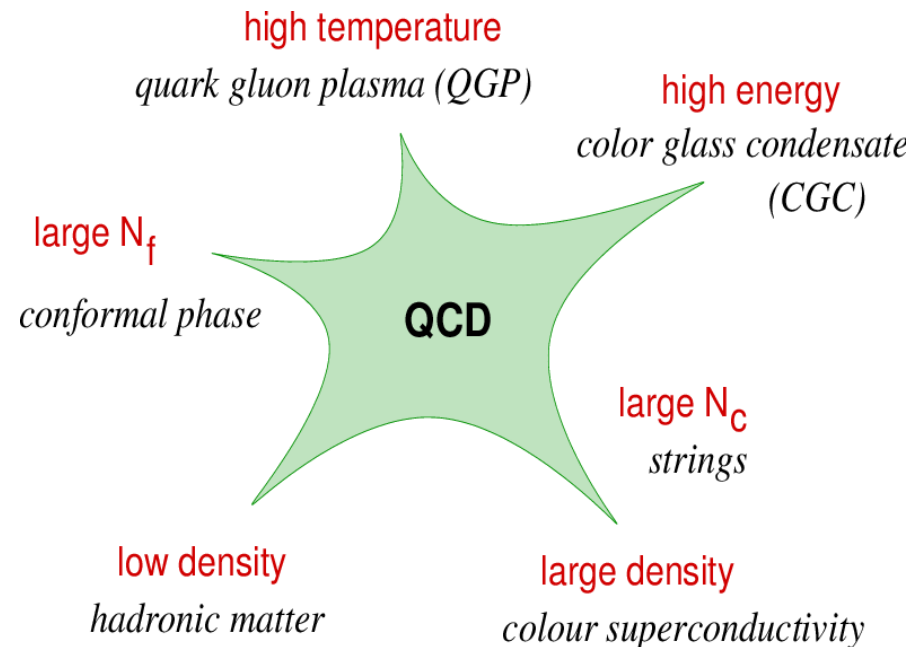
The many facets of QCD

- QCD is a QFT with **very rich dynamical** content: asymptotic freedom, confinement, (approx.) χ -symmetry, non-trivial vacuum, $U_A(1)$ anomaly...

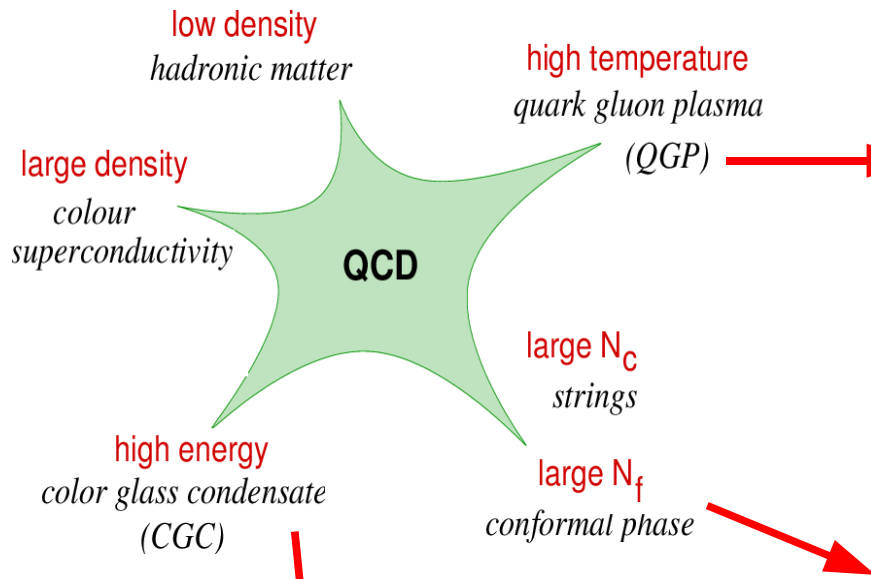
$$\mathcal{L}_{\text{QCD}} = -\frac{1}{4g^2} \text{Tr}(\mathbf{G}^{\mu\nu} \mathbf{G}_{\mu\nu}) + \sum_{f=1}^{n_f} \bar{\psi}_f (i \mathbf{D}_\mu \gamma^\mu + m_f) \psi_f$$

gluon dynamics (points to $\mathbf{G}^{\mu\nu} \mathbf{G}_{\mu\nu}$)
 quark kinetic energy + mass term (points to $i \mathbf{D}_\mu \gamma^\mu + m_f$)
 quark-gluon dynamics (points to the interaction term)
 QCD coupling (points to g^2)
 field strength tensor (points to $\mathbf{G}^{\mu\nu}$)
 covariant derivative (points to \mathbf{D}_μ)
 quark field (points to ψ_f)

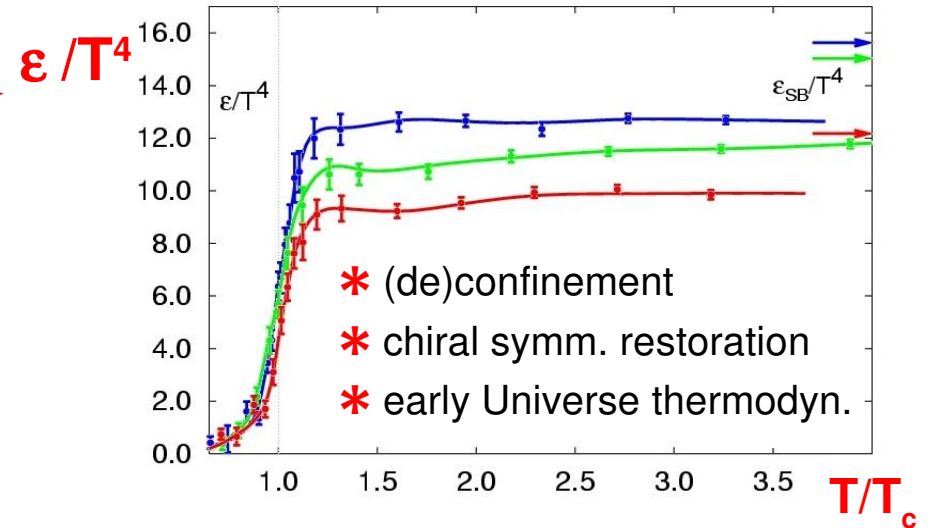
- The only sector of the SM whose **collective behaviour** can be studied in the lab: **phase transition(s)**, **thermalization** of fundamental fields, ...
- QCD has a very diverse **many-body** phenomenology at various **limits**:



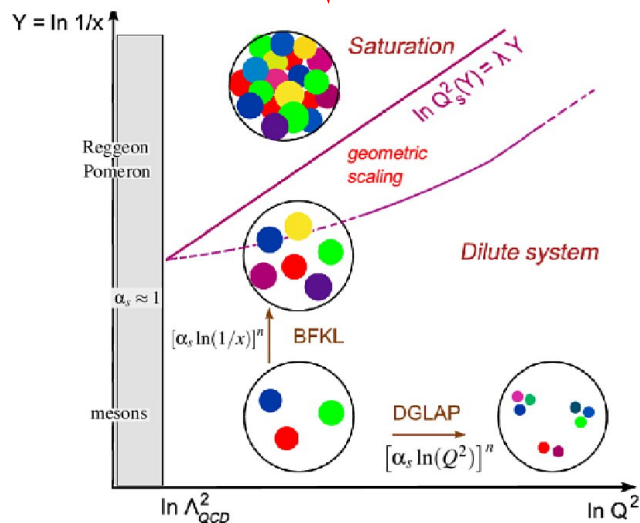
QCD matter with heavy-ions: physics menu



QCD at high-temperature: QGP

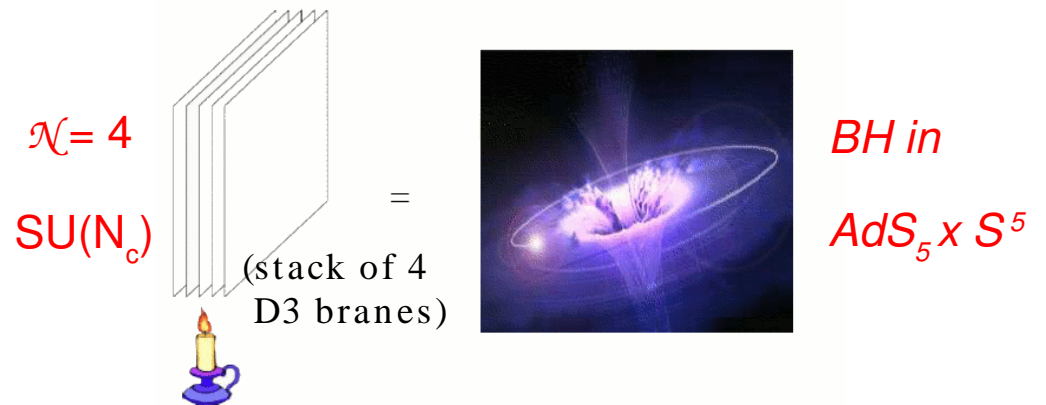


High-density QCD at small-x: CGC



Gauge-gravity duality: AdS/QCD

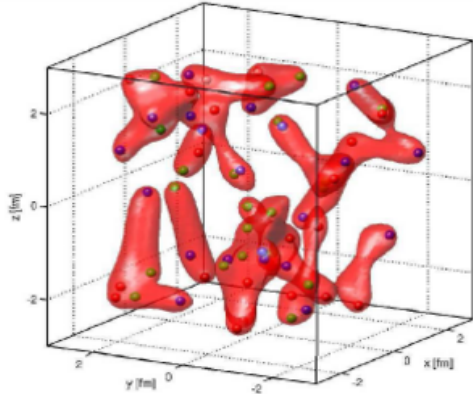
$$\mathcal{L} = \frac{1}{2g_{\text{YM}}^2} \text{Tr}(F_{\mu\nu}F^{\mu\nu}) + i\text{Tr}(\bar{\psi}\gamma^\mu D_\mu\psi) \iff ds^2 = \frac{r^2}{R^2}(-dt^2 + d\vec{x}^2) + \frac{R^2}{r^2}d\Omega_5^2$$



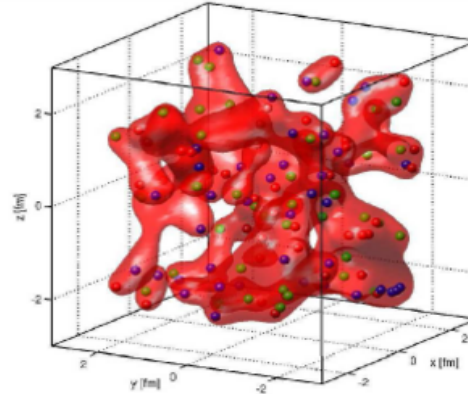
Thermal gauge theory = black hole in anti de-Sitter space

QGP: Study of (bulk) deconfinement

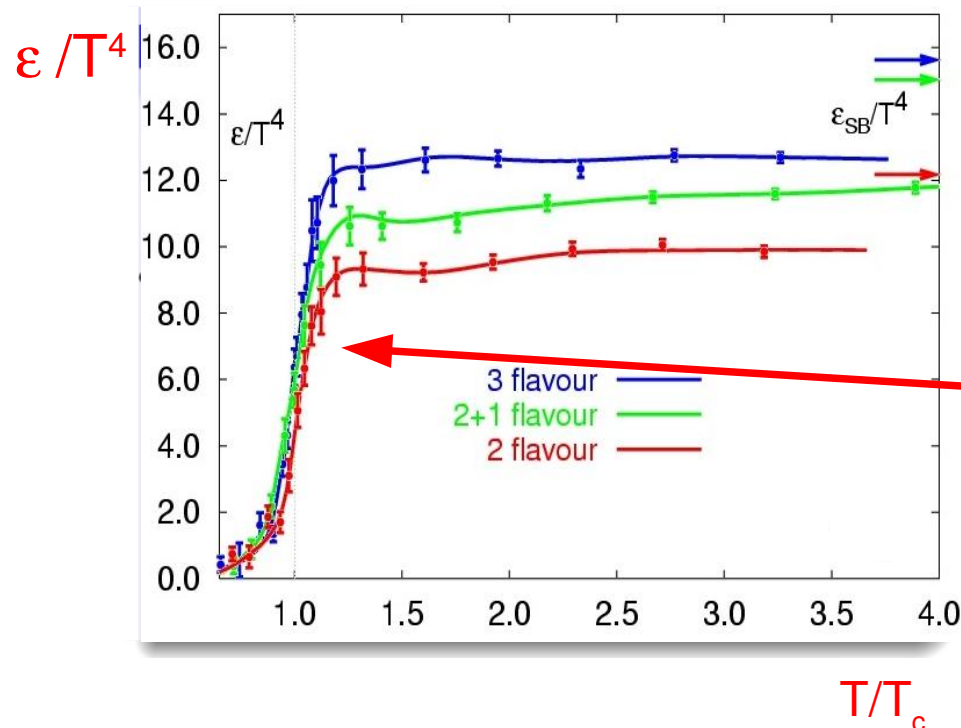
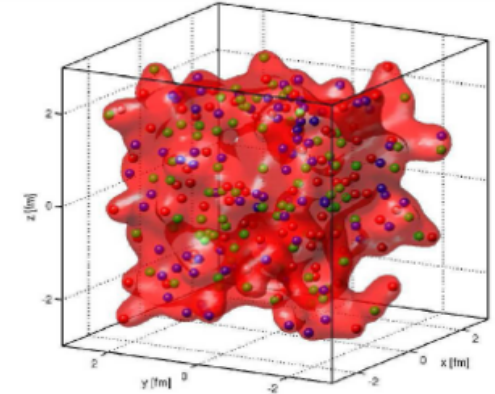
$$n = 0.5 \text{ fm}^{-3}$$



$$n = 1.0 \text{ fm}^{-3}$$



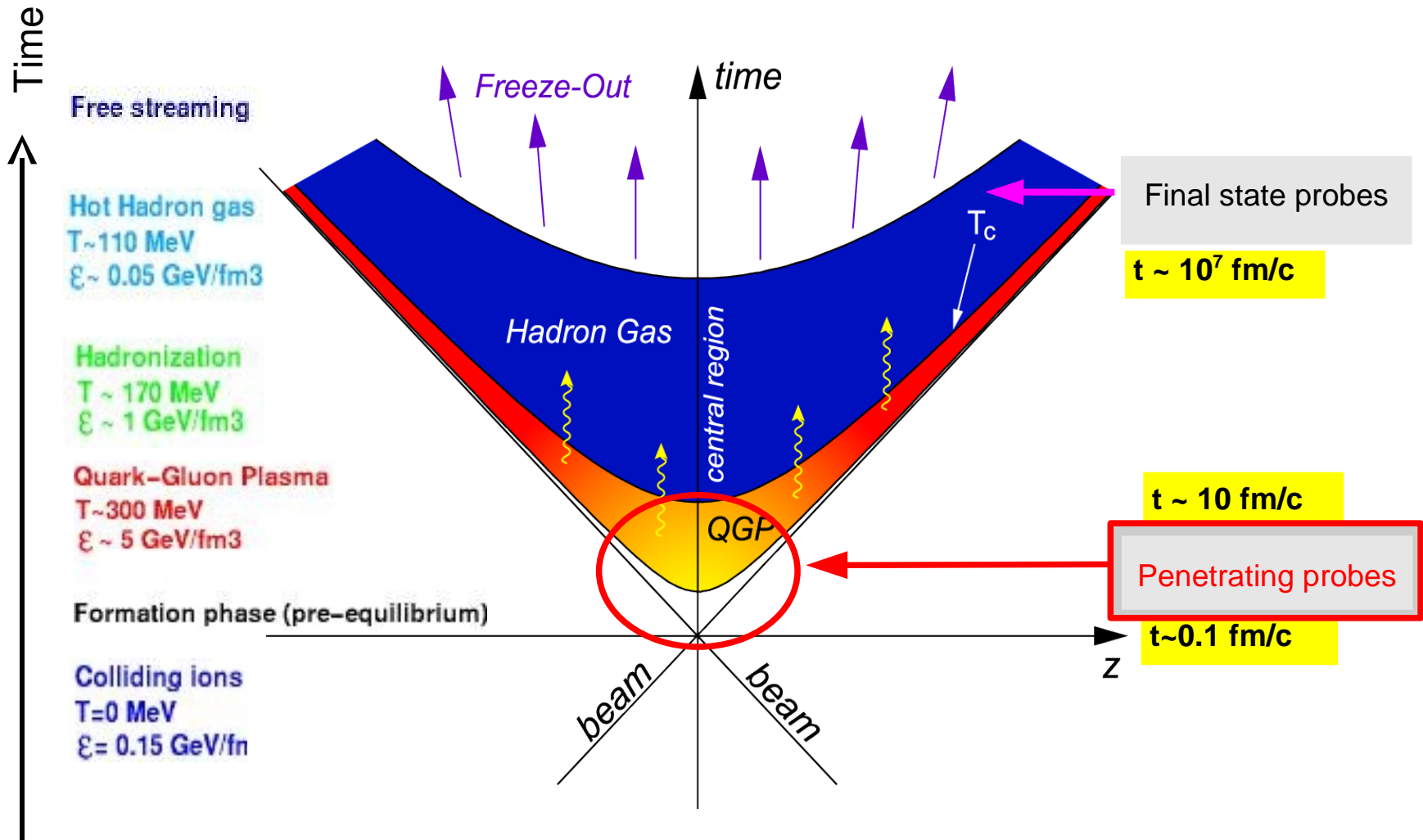
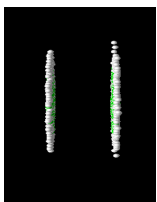
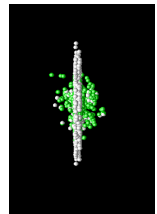
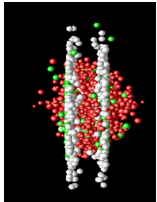
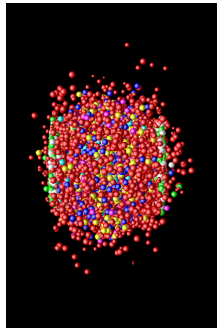
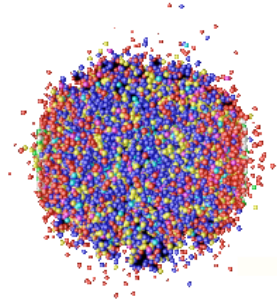
$$n = 2.0 \text{ fm}^{-3}$$



- formation of color neutral clusters at small densities
- particle number/cluster rises
- critical density at maximal overlap ($n \approx 2 \text{ fm}^{-3}$ or $\sim 1 \text{ GeV}/\text{fm}^3$)

QGP production in high-energy nuclear colls.

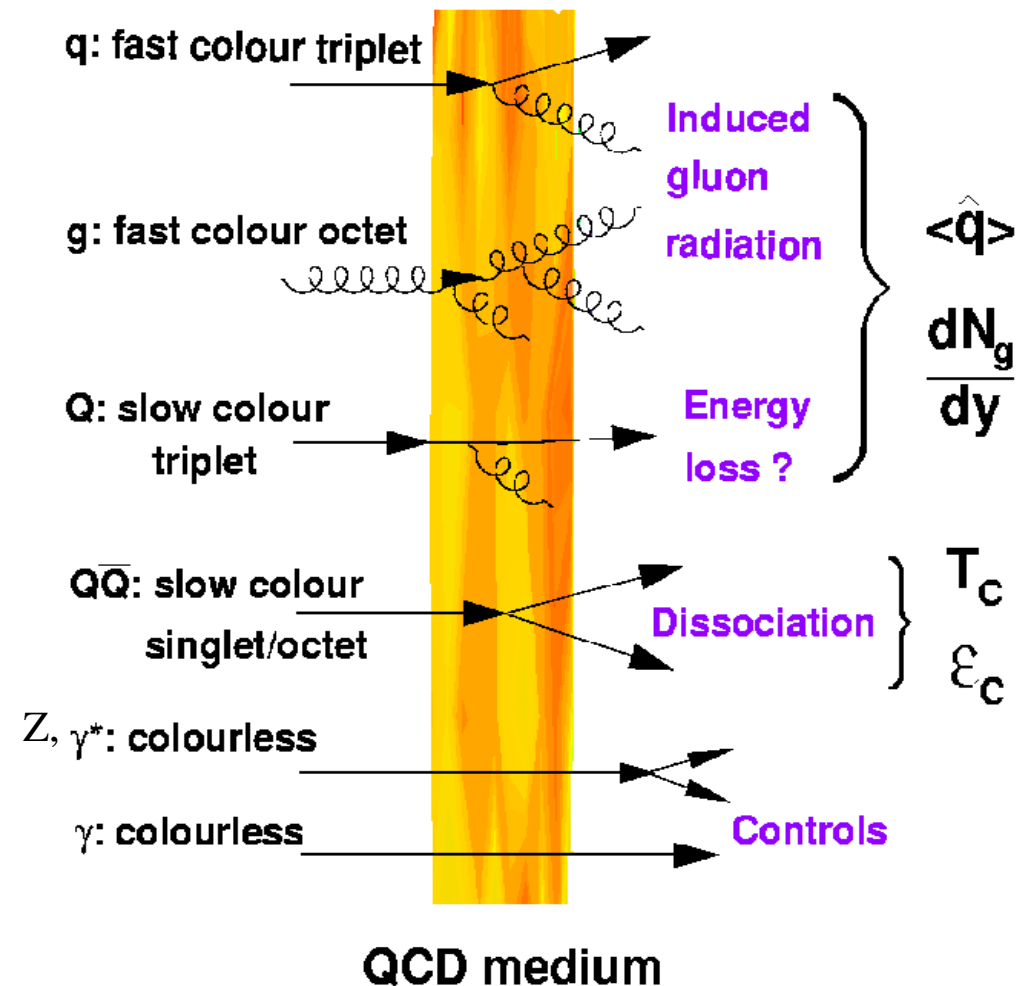
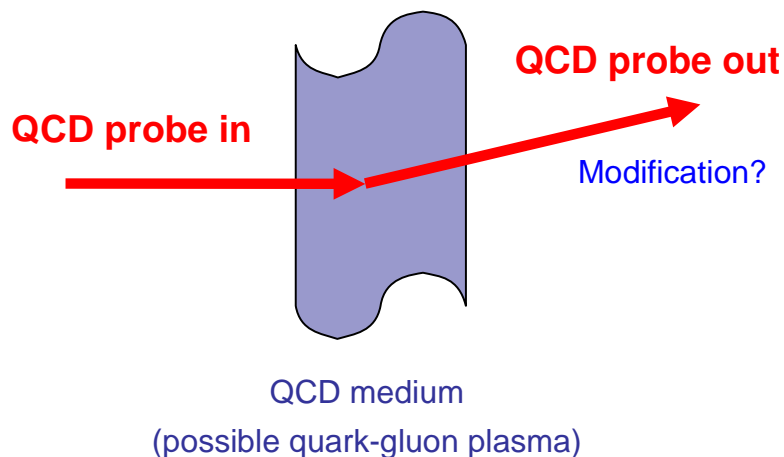
- HE A-A colls. produce **expanding QGP**: $V \sim O(10^3 \text{ fm}^3)$ for $\tau \sim 10 \text{ fm}/c$
- Collision dynamics**: Diff. observables sensitive to diff. reaction stages



Hard particles: “tomographic” probes of QGP

■ Hard-probes of QCD matter:

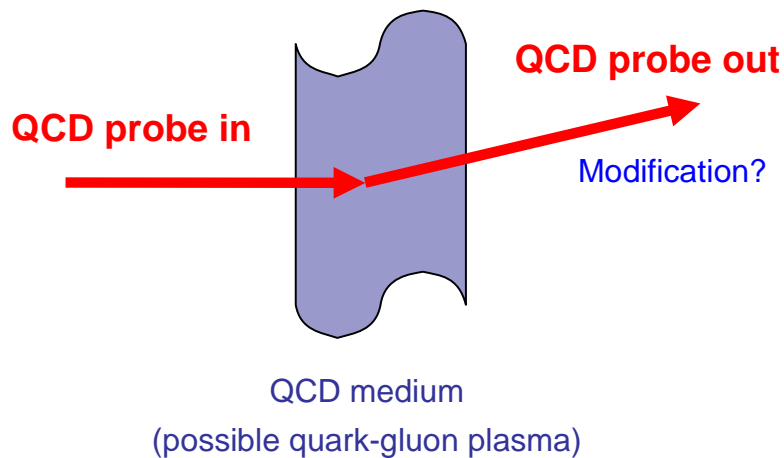
- ◆ **large- Q^2** ($p_{T,m} > 2 \text{ GeV}/c$): **jets, γ , $Q\bar{Q}$** ... well controlled exp. & theoretically (**pQCD**)
- ◆ **early-time** production: **self-generated** in collision at $\tau < 1/Q \sim 0.1 \text{ fm}/c$
- ◆ **tomographic** probes of hottest & densest phases of medium .



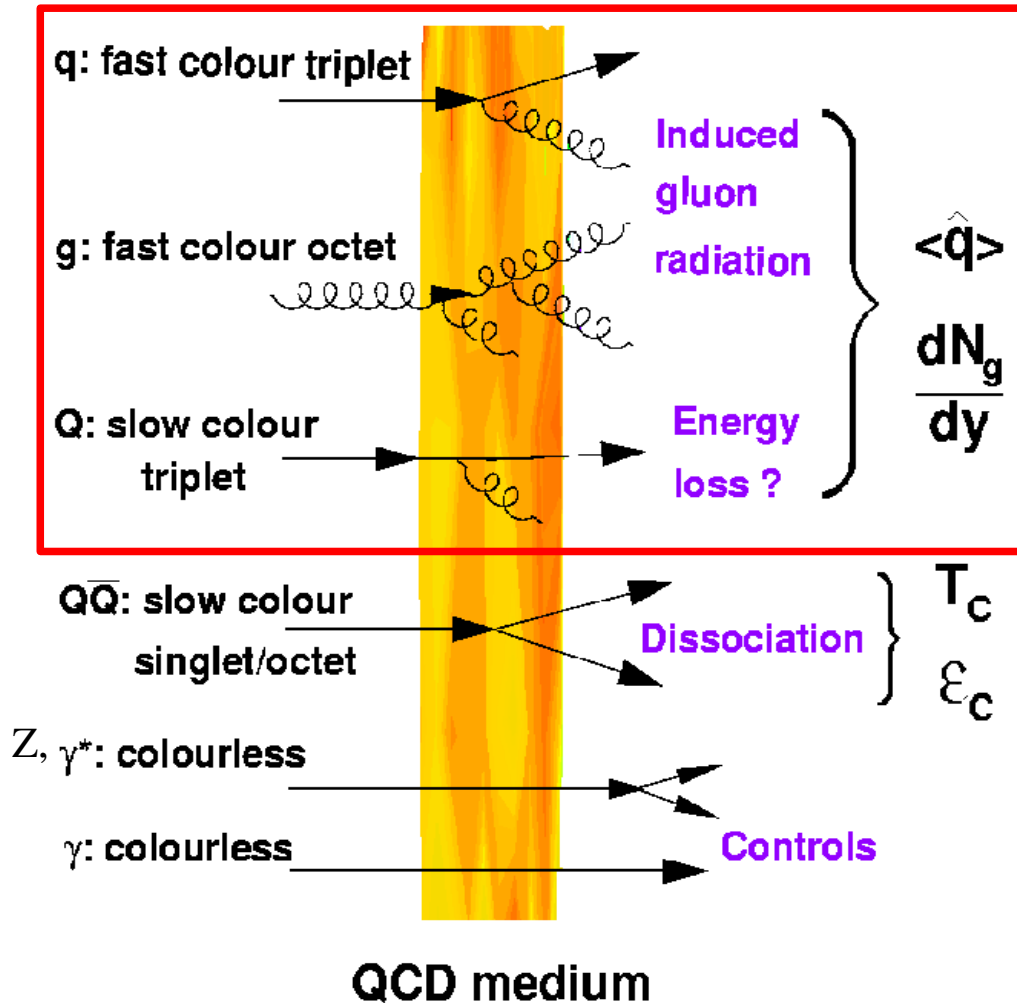
Hard particles: “tomographic” probes of QGP

■ Hard-probes of QCD matter:

- ◆ **large- Q^2** ($p_T, m > 2 \text{ GeV}/c$): **jets, γ , $Q\bar{Q}$** ... well controlled exp. & theoretically (pQCD)
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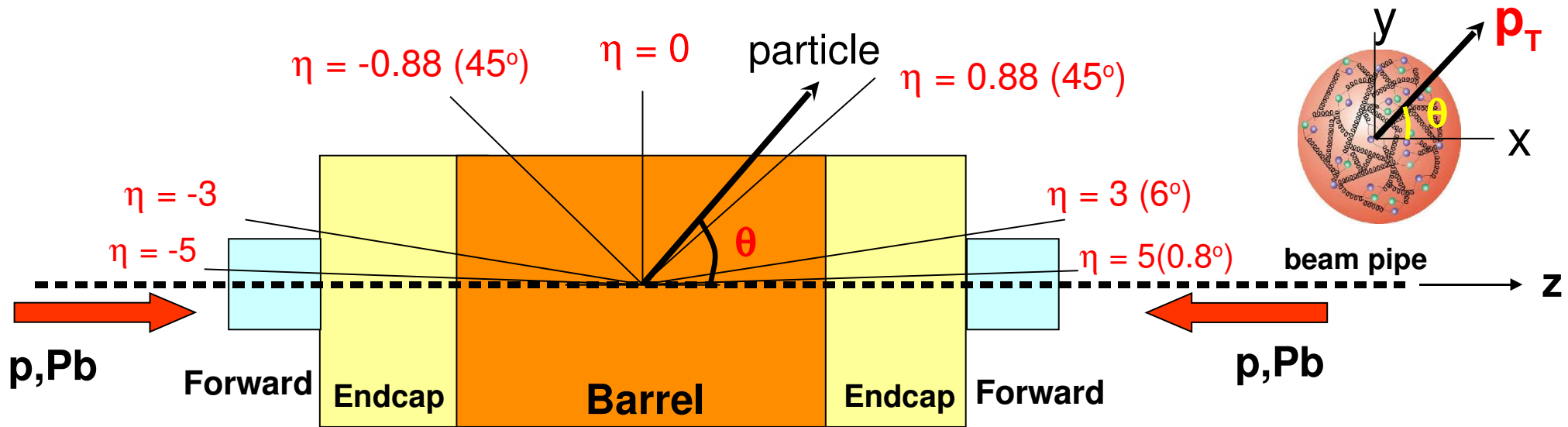


“Jet quenching”



Kinematics A-A collision (reminder)

- Nucleus = “beam” of partons with $p_T \sim 0$ and fractions ($x_{Bjorken}$) of p_L



- **Transverse momentum:** $\mathbf{p}_T = (p_x, p_y)$ $|\mathbf{p}_T| = p \sin(\theta)$

- **Rapidity:** $y = \frac{1}{2} \log \frac{E + p_z}{E - p_z}$ (Differences in rapidity conserved under boosts in z-direction: $y' = y - y_{cm}$)

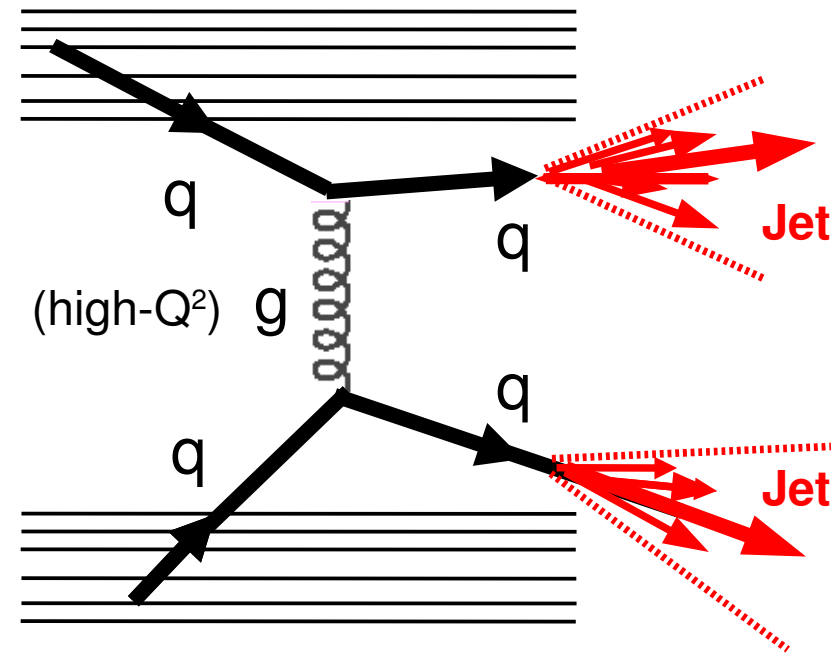
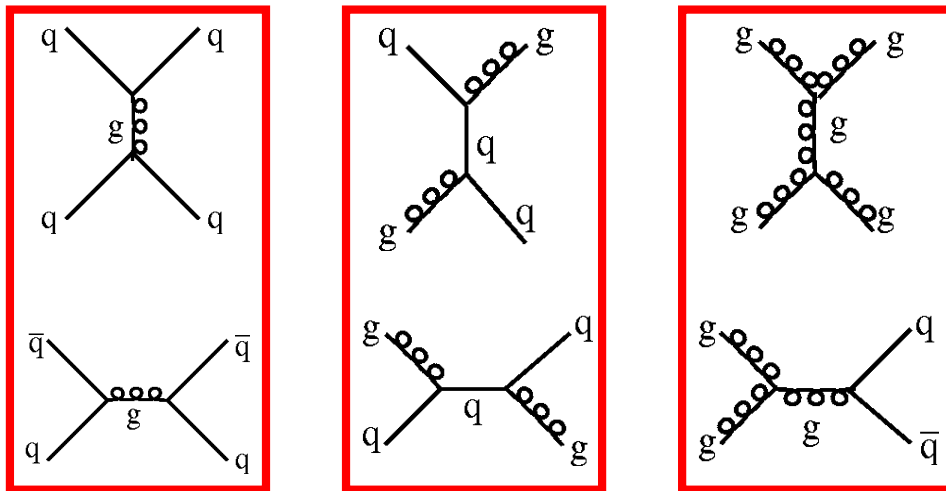
Pseudorapidity: $\eta = -\ln[\tan(\theta/2)]$ ($\eta \sim y$ if $E \gg m$, and θ not too small)

- **Azimuthal angle φ :** Particles normally (not always!) produced \sim isotropically

Jet quenching in the QGP

What is a “jet” ?

- **Jet = high- p_T parton** (quark, gluon) produced in a **hard scattering** process: qq , qg , gg (also partons/jets produced in decays of heavy particles)
- **Jet production processes** (leading order):



Jet **balanced back-to-back** by another jet, a prompt γ , ... (at LO).

- **Jet: Collimated spray of hadrons** in a **cone** $R = \sqrt{\Delta\eta^2 + \Delta\phi^2} \sim 0.4 - 1$.

with total 4-momentum of original fragmenting parton: $p_{T,\text{parton}} = \sum p_{T,\text{hadrons}}$

What is “jet quenching” ?

- Parton radiative energy loss: multiple **gluon radiation** off the produced hard parton **induced by the dense QCD medium**:
- **Energy loss** \Rightarrow Medium properties:

$$\Delta E_{\text{GLV}} \propto \alpha_S^3 C_R \frac{1}{A_{\perp}} \frac{dN^g}{dy} L$$

$$\langle \Delta E \rangle_{\text{BDMPS}} \propto \alpha_S C_R \langle \hat{q} \rangle L^2$$

$\propto (\hat{q}, \text{ gluon density}, L^{(2)})$

- \hat{q} **transport coefficient**:

medium “scattering power”

$$\hat{q} \equiv m_D^2 / \lambda = m_D^2 \rho \sigma$$

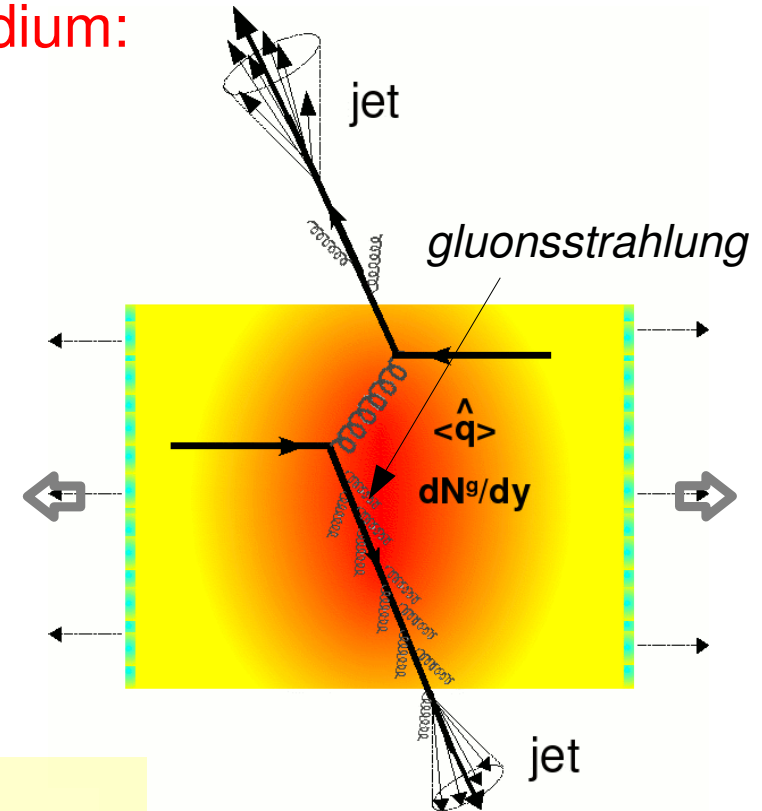
Debye mass $\sim gT$ parton-parton x-section
 medium density

$\sim 0.62 \text{ GeV}^2 * 15 \text{ fm}^{-3} * 9 \text{ mb}$

- **Flavour**-dependent energy loss:

$$\Delta E_{\text{loss}}(g) > \Delta E_{\text{loss}}(q) > \Delta E_{\text{loss}}(Q)$$

(color factor) (dead-cone effect)



q-hat transport coefficient (estimate)

- \hat{q} transport coefficient characterizes the medium “scattering power:

$$\hat{q} \equiv m_D^2 / \lambda = m_D^2 \rho \sigma$$

Debye mass ($\sim gT$): minimum momentum of plasma particles

- Consider a gluon plasma at $T \sim 0.4 \text{ GeV}$, $\alpha_s \sim 0.5$:

$$\rho_g = 16/\pi^2 \zeta(3) \cdot T^3 \approx 15 \text{ fm}^{-3}$$

$$\text{Debye mass: } m_D = (4\pi\alpha_s)^{1/2} T \approx 1 \text{ GeV}$$

$$\sigma_T^{gg} \simeq 9\pi\alpha_s^2 / (2m_D^2) \approx 9 \text{ mb. (LO)}$$

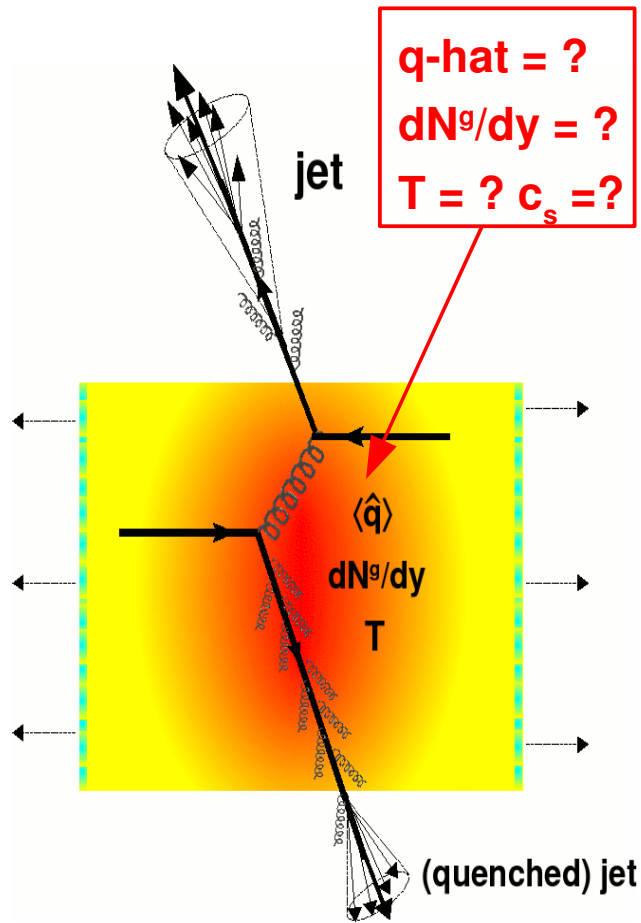
$$\hat{q} \simeq m_D^2 / \lambda_g \simeq 2.2 \text{ GeV}^2/\text{fm}$$

$$\lambda_g = 1/(\rho_g \sigma_T^{gg}) \simeq (18/\pi^2 \zeta(3) \alpha_s T)^{-1} \simeq 0.45 \text{ fm}$$

$$\lambda_q = 9/4 \lambda_g \approx 1 \text{ fm}$$

Note: multiply by $\hbar \cdot c = 0.2 \text{ GeV} \cdot \text{fm}$
 to get right units !

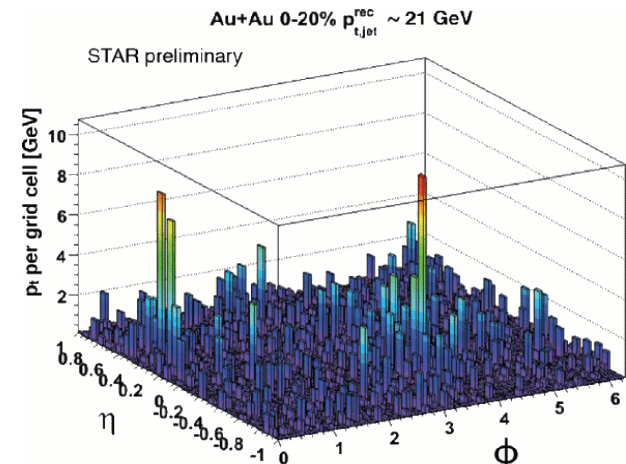
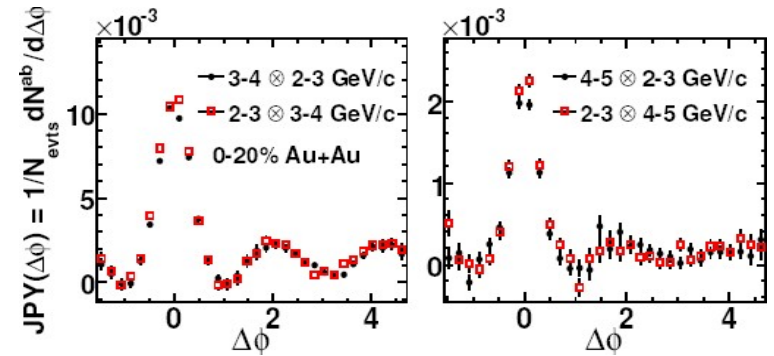
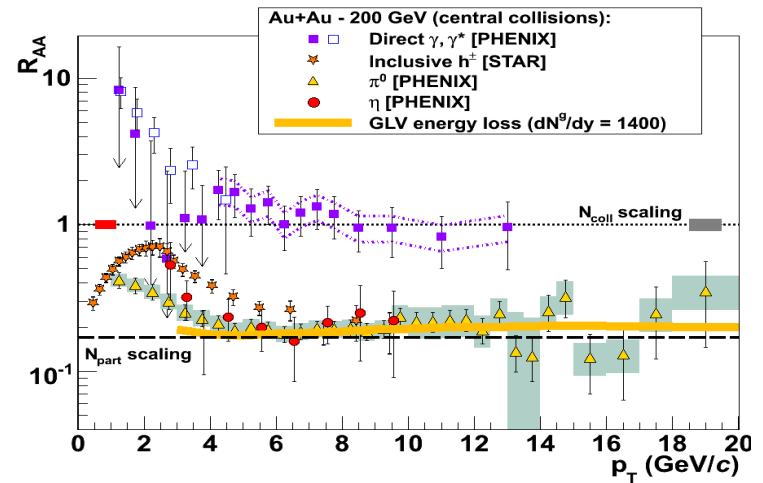
Lectures overview



■ Suppressed high- p_T hadron spectra:

■ Modified high- p_T dihadron $\Delta\phi$ correlations:

■ Full jet reco, γ -jet, modified Fragm. Functions:

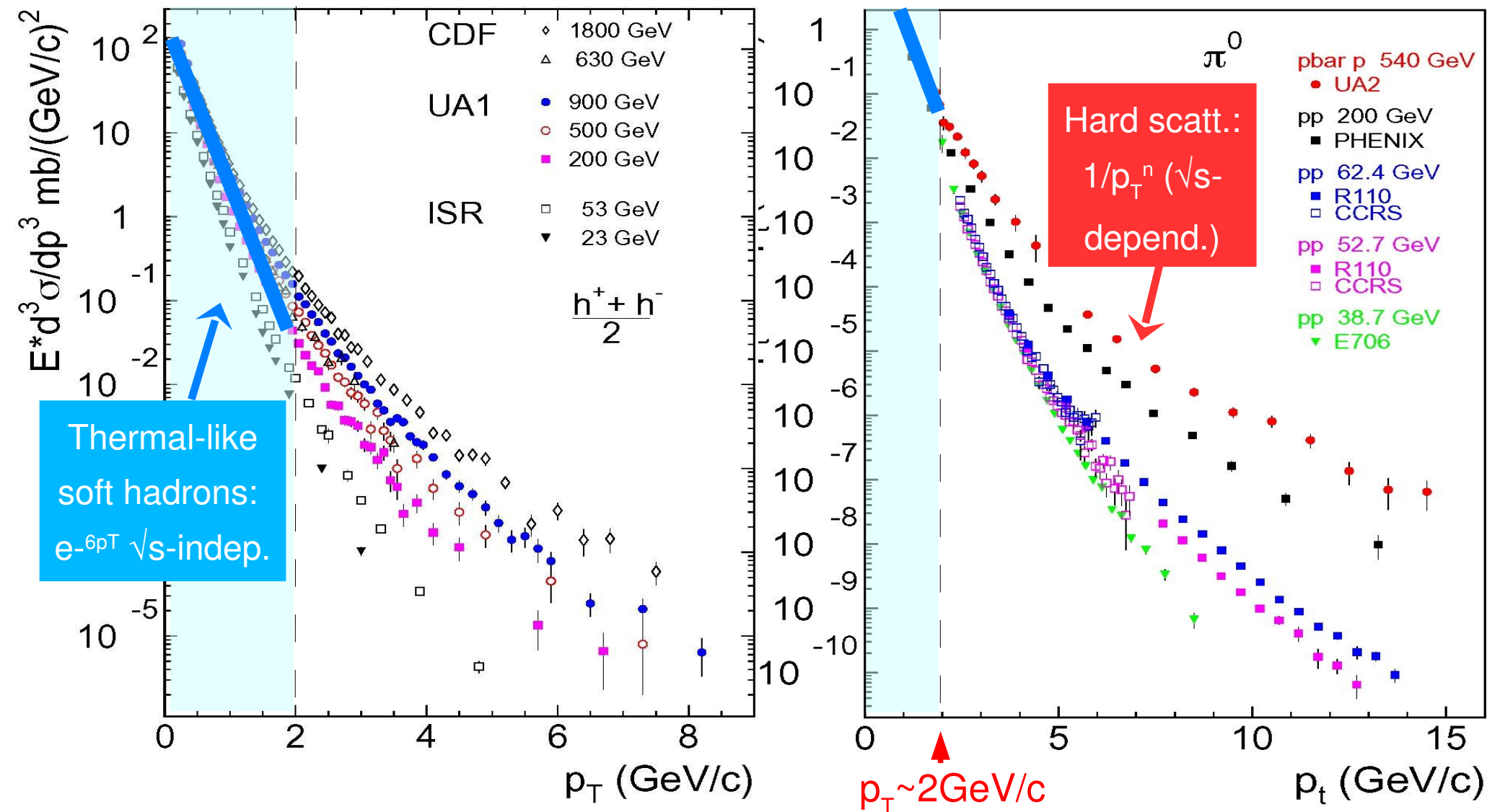


Hot/dense QCD matter properties via “jet quenching”

I. High- p_T leading hadron spectra

High p_T (leading) hadrons

- Above $p_T \sim 2 \text{ GeV}/c$: spectra dominated by fragmentation hadrons carrying a large fraction of parent parton p_T : $\langle z \rangle = p_{\text{had}}/p_{\text{parton}} \sim 0.5 - 0.7$

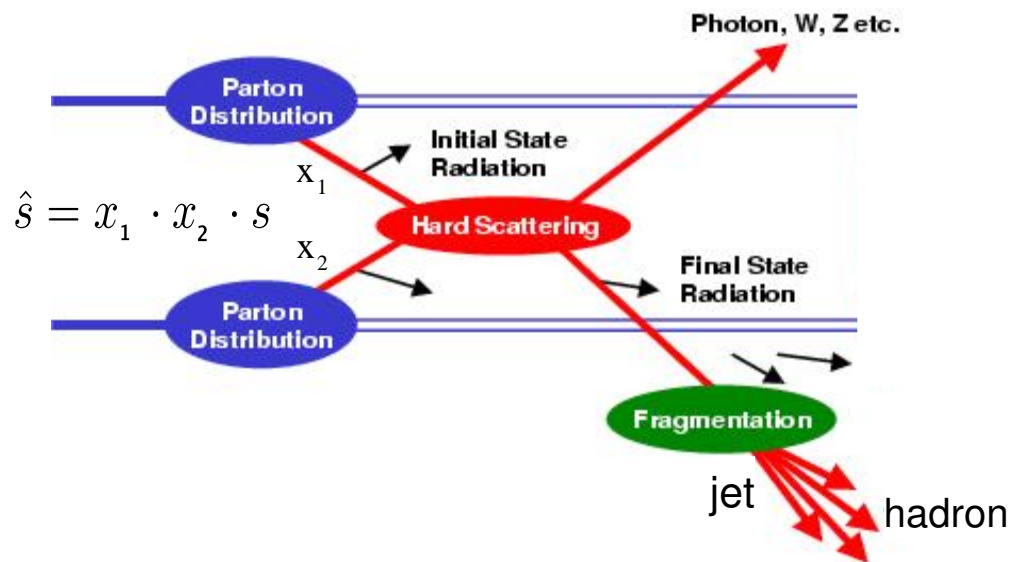


High- p_T hadro-production: pQCD factorization

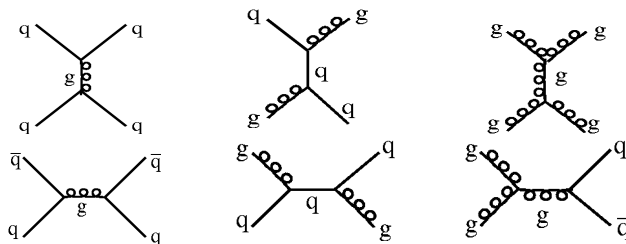
■ Cross section = convolution of 3 terms:

1 short-distance (pQCD $\sigma_{\text{parton-parton}}$) & 2 long-distance (PDF, FF)

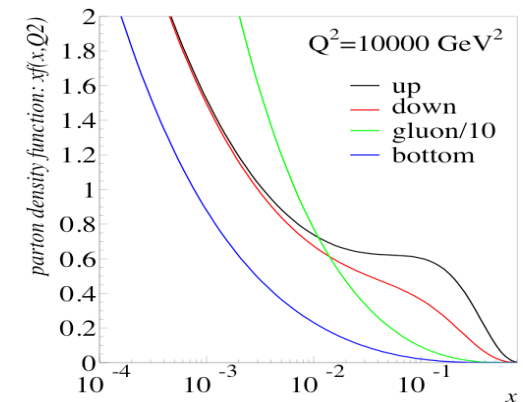
$$\sigma^{AB \rightarrow h} = f_A(x_1, Q^2) \otimes f_B(x_2, Q^2) \otimes \sigma(x_1, x_2, Q^2) \otimes D_{i \rightarrow h}(z, Q^2)$$



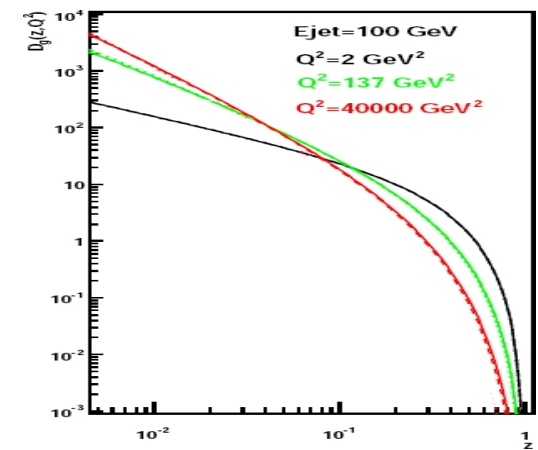
(2) High- Q^2 parton-parton x-sections computed perturbatively at a given $\mathcal{O}(\alpha_s)$:



(1) Hadron = collection of partons described by PDFs(x, Q^2):



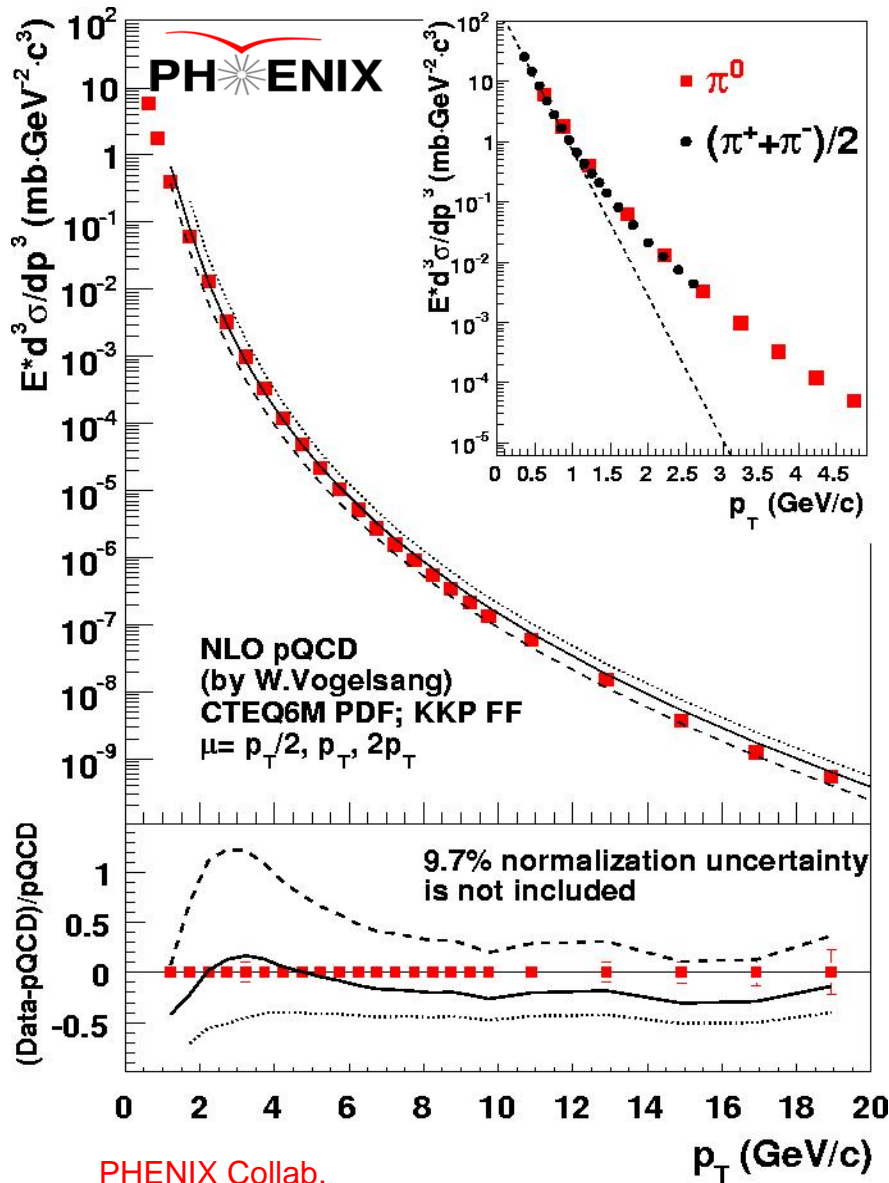
(3) Parton (jet) fragmentation into hadrons described by a FF(z, Q^2):



High- p_T hadron spectra: p-p @ 200 GeV

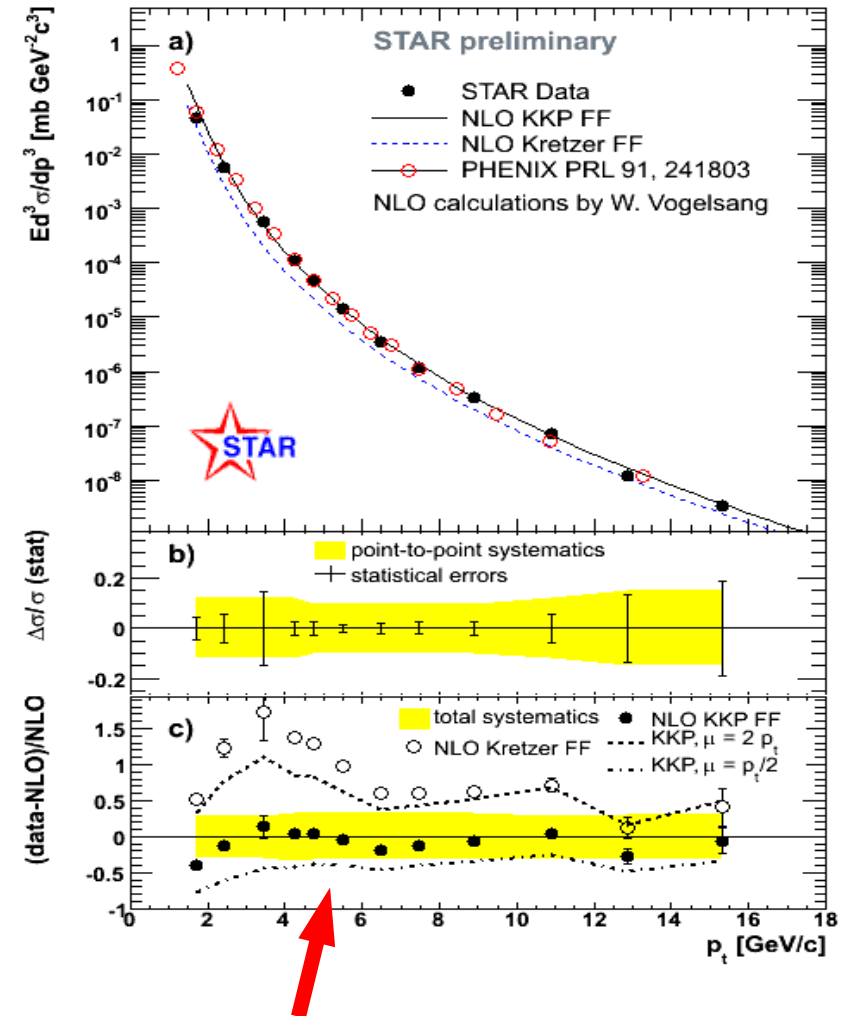
- High p_T hadron spectra very well described by **NLO pQCD**:

M. Russcher, QM06



PHENIX Collab.

PRD76, 051106(R) (2007)



- Data **sensitive** to different parametrizations of **gluon FF**

High- p_T hadro-production: A-A collisions

- QCD factorization for nuclear collisions:

$$\sigma^{AB \rightarrow h} = f_A(x_1, Q^2) \otimes f_B(x_2, Q^2) \otimes \sigma(x_1, x_2, Q^2) \otimes D_{i \rightarrow h}(z, Q^2)$$

- Nuclear PDFs:

A-B = "simple superposition of p-p collisions"

nPDF = independent sum of "free" partons:

$$f_{a/A}(x, Q^2) = A f_{a/p}(x, Q^2)$$

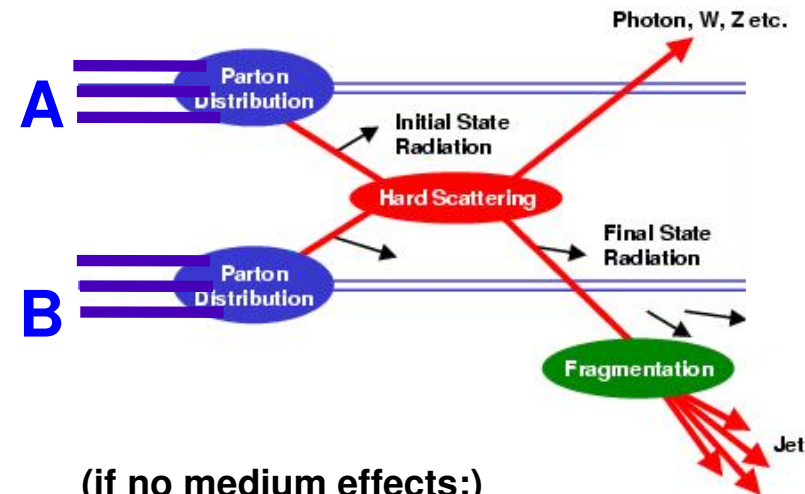
- Nuclear FFs:

Energy loss in QGP: modified DGLAP evolution R_{AB}

of vacuum-FFs: $D(z', Q^2)$, $z' \sim z - \xi_{\text{loss}}$

- Nuclear modification factor:

$$R_{AB}(p_T) = \frac{d^2 N_{AB}/dydp_T}{\langle T_{AB}(b) \rangle \cdot d^2 \sigma_{pp}/dydp_T}$$

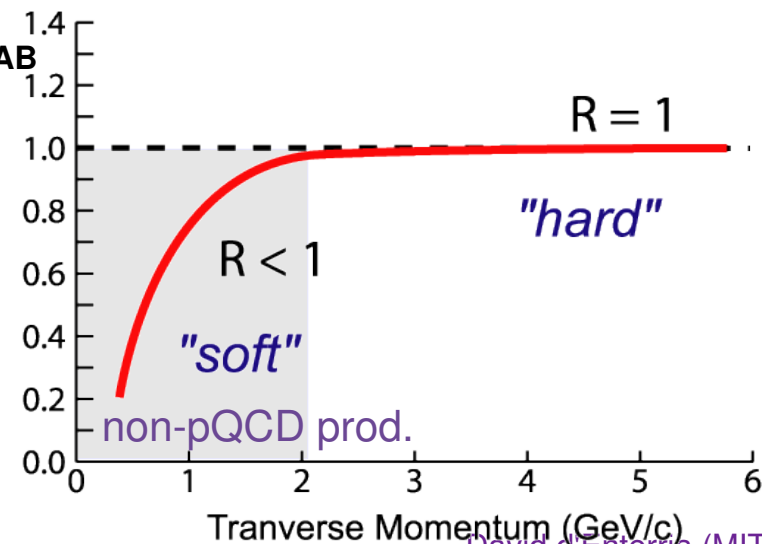


(if no medium effects:)

$$d\sigma_{AB \rightarrow \text{hard}} = A \cdot B \cdot d\sigma_{pp \rightarrow \text{hard}}$$

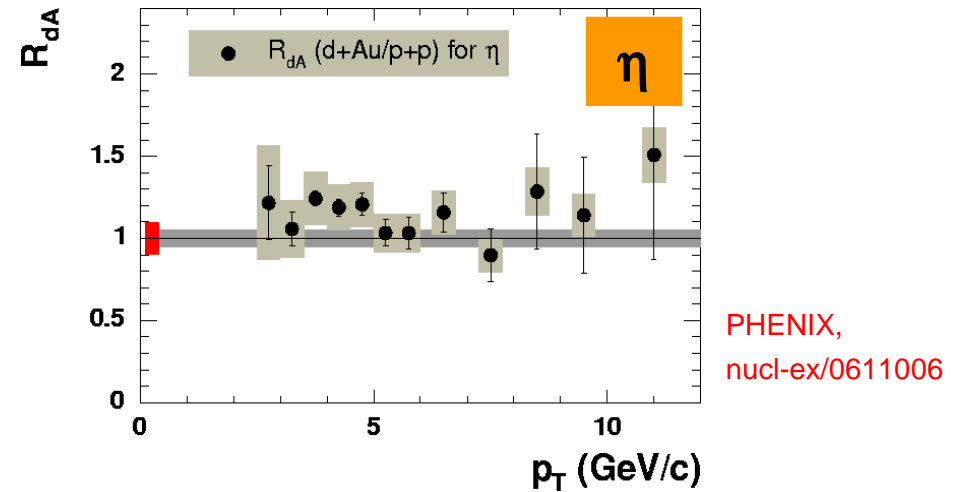
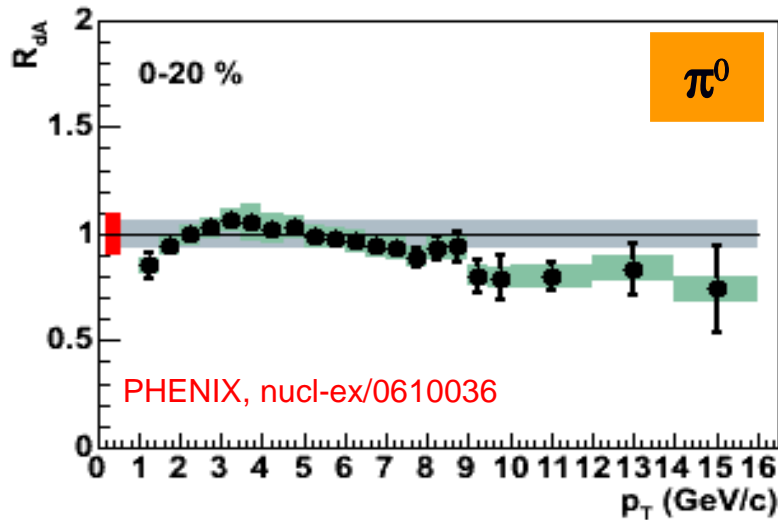
$$d\sigma_{AB \rightarrow \text{hard}}(b) = T_{AB}(b) \cdot d\sigma_{pp \rightarrow \text{hard}}$$

(nuclear overlap at b)

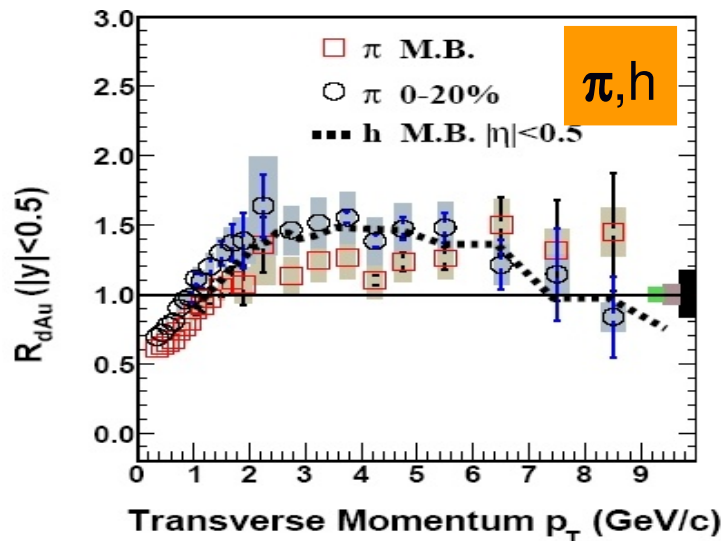


High p_T hadrons in d-Au @ 200 GeV: $R_{dAu} \sim 1$

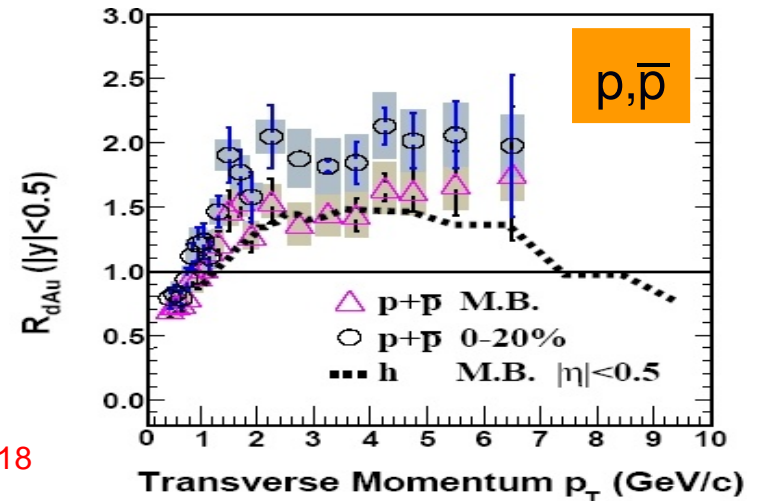
- ~20% "cold nuclear matter" modifications: nPDF (anti)shadowing, Cronin



- Only **protons** (factor ~2 enhancement) deviate from "vacuum" production

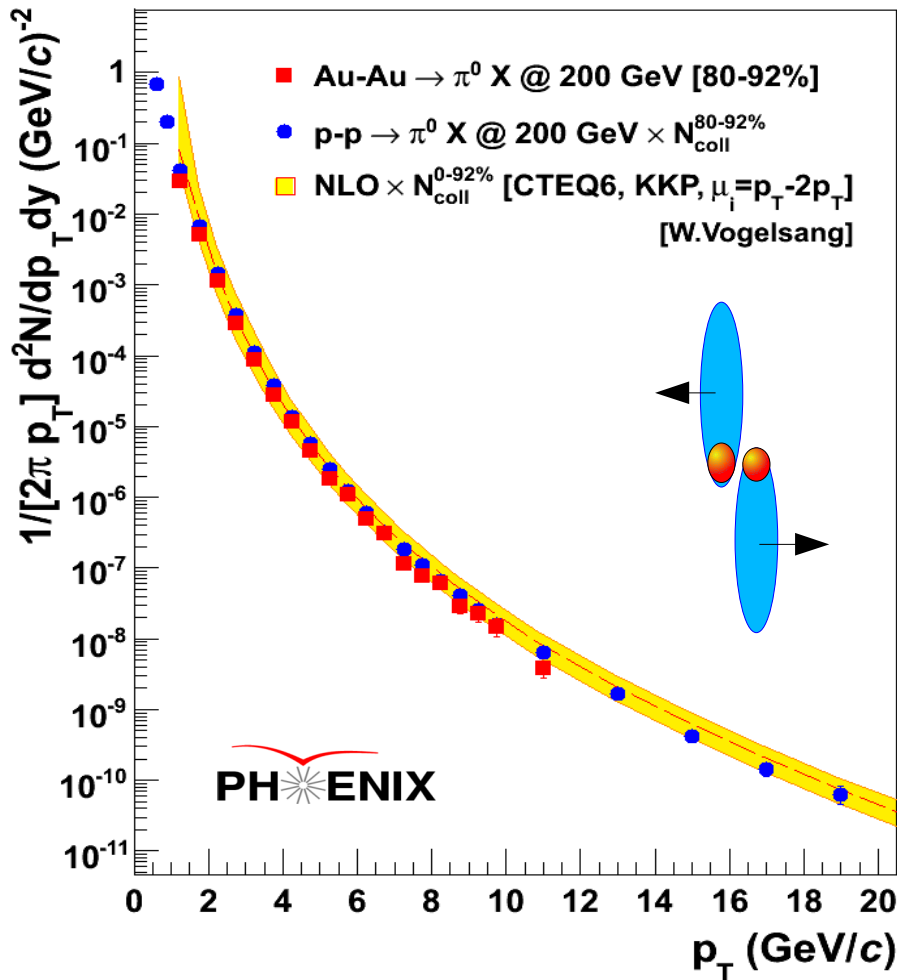


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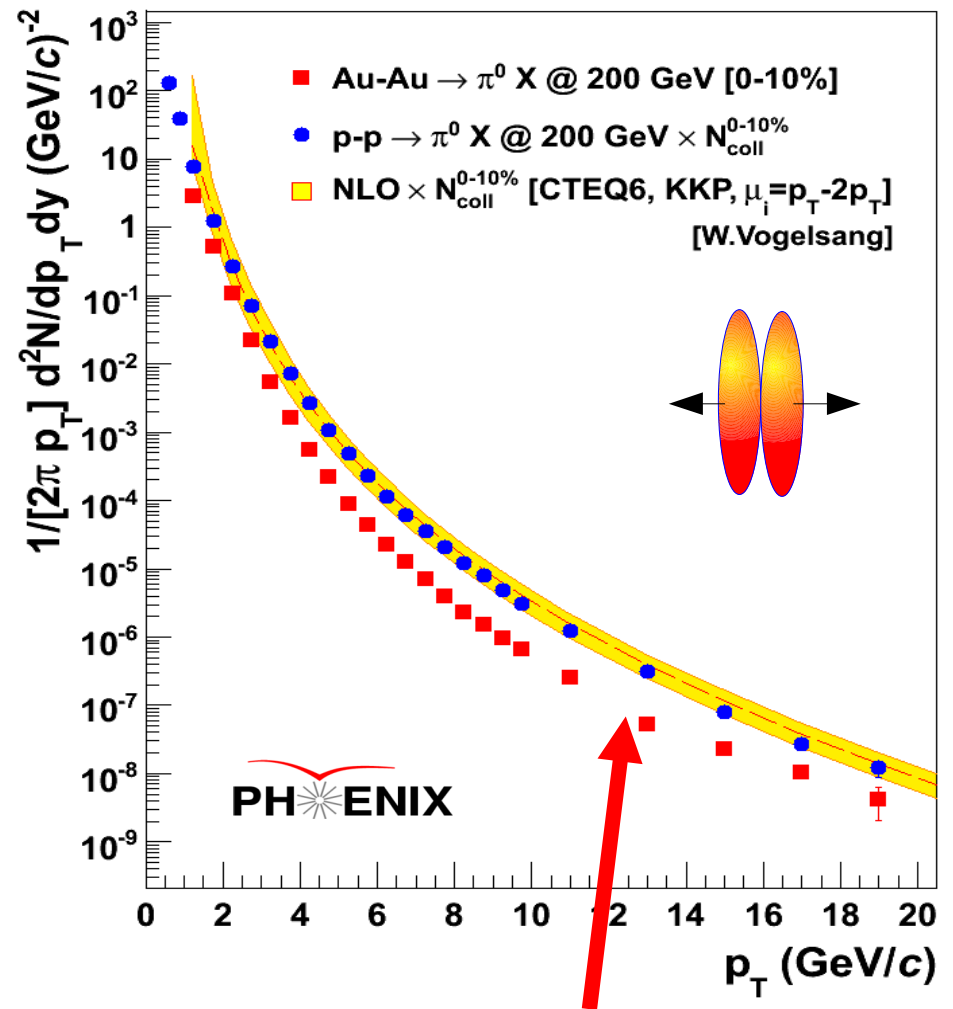
High p_T hadrons in Au-Au @ 200 GeV: $R_{AA} \ll 1$

Au+Au $\rightarrow \pi^0 X$ (peripheral)



Peripheral data agree well with
p+p (data&pQCD) plus N_{coll} scaling

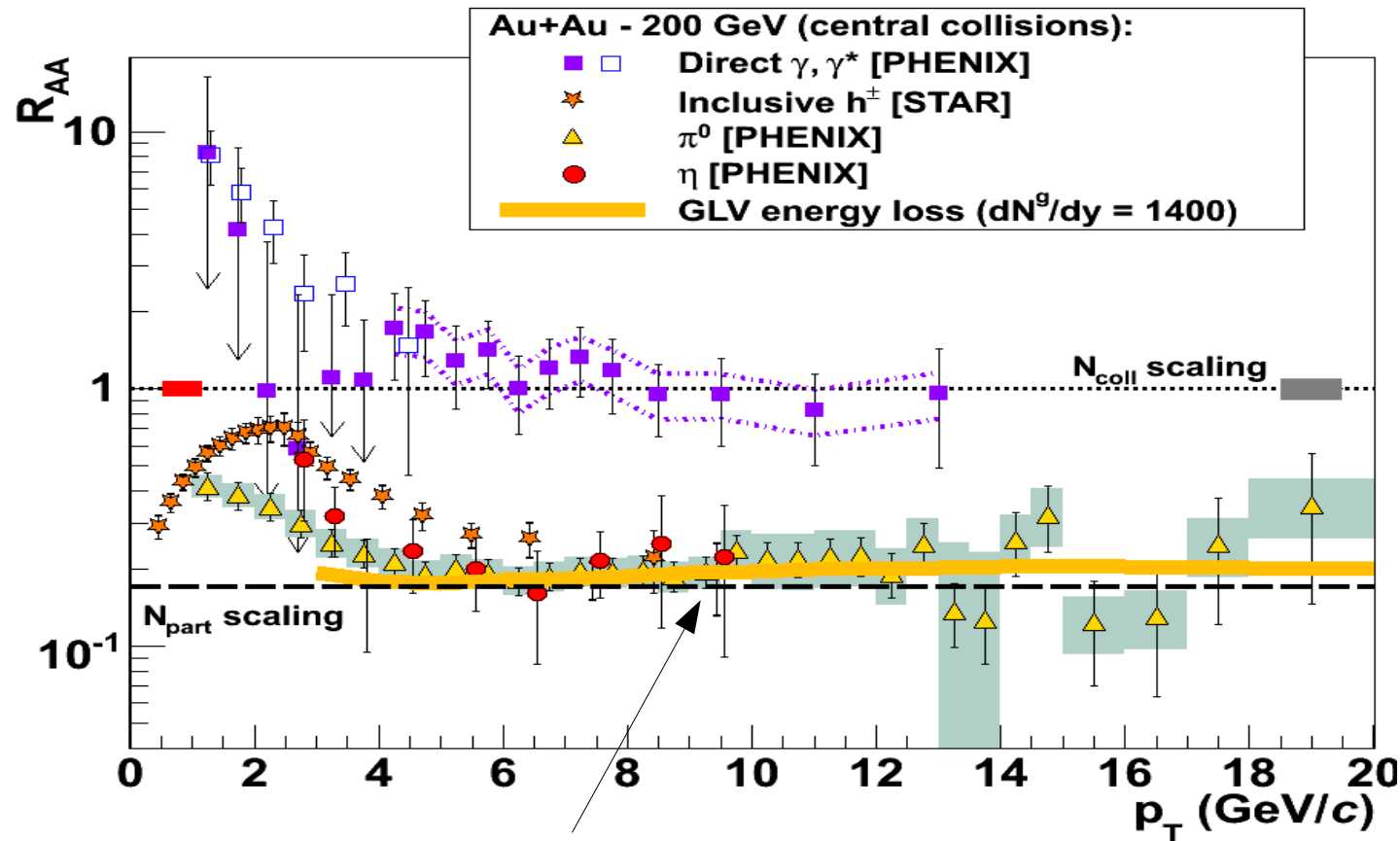
Au+Au $\rightarrow \pi^0 X$ (central)



Strong suppression in
central Au+Au collisions !

High p_T suppression in Au-Au @ 200 GeV: $R_{AA} \sim 0.2$

- Photons are unsuppressed but π^0, η, h^\pm show a **common suppression pattern** (magnitude, p_T , centrality, ...):



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PRL 96, 202301 (2006)

- Only hadrons produced in “**surface**” escape (N_{part} scaling): $R_{AA} \sim 0.2$
- Universal suppression** consistent with quenching **at partonic level** prior to q, g fragmentation into leading hadrons according to vacuum FFs.

Parton E-loss \Rightarrow High p_T suppression (let's test that ...)

- Multiple **gluon radiation** off the produced hard parton **induced by the dense QCD medium**:
- Energy loss** \Rightarrow Medium properties:

$$\Delta E_{\text{GLV}} \propto \alpha_S^3 C_R \frac{1}{A_\perp} \frac{dN^g}{dy} L$$

$$\langle \Delta E \rangle_{\text{BDMPS}} \propto \alpha_S C_R \langle \hat{q} \rangle L^2$$

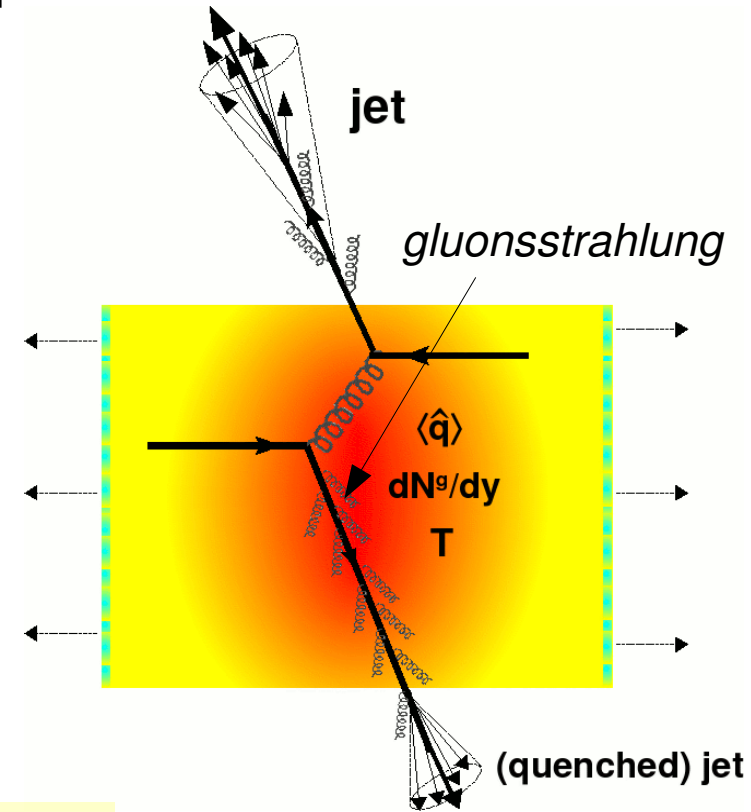
$\propto (\hat{q}, \text{ gluon density}, L^{(2)})$

- \hat{q} **transport coefficient**:

medium "scattering power"

$$\hat{q} \equiv m_D^2 / \lambda = m_D^2 \rho \sigma$$

Debye mass $\sim gT$ medium density parton-parton x-section



- Flavour-dependent energy loss**:

$$\Delta E_{\text{loss}}(g) > \Delta E_{\text{loss}}(q) > \Delta E_{\text{loss}}(Q)$$

(color factor) (dead-cone effect)

High p_T suppression \Rightarrow QCD medium properties

- Medium **properties** from jet quenching models:

Initial gluon density (GLV):

$$dN^g/dy = 1400^{+270}_{-150}$$

[Vitev & Gyulassy]

Transport coeffic. (BDMPS/ASW)

$$\langle \hat{q}_0 \rangle \sim 13.2^{+2.1}_{-3.2} \text{ GeV}^2/\text{fm}$$

Yet, other approaches:

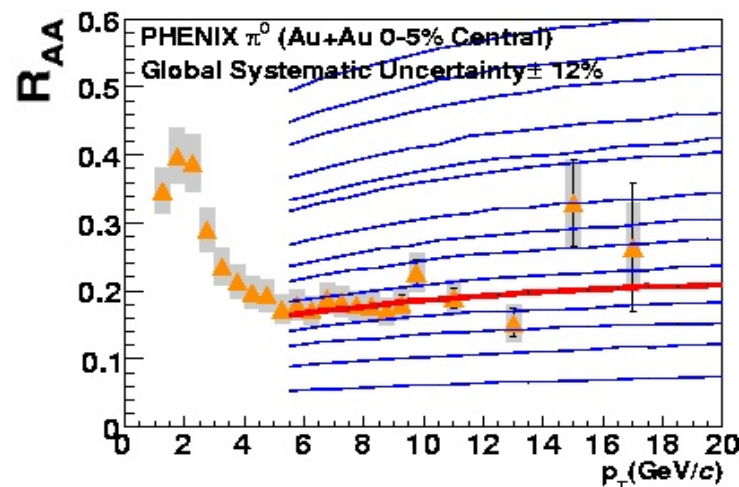
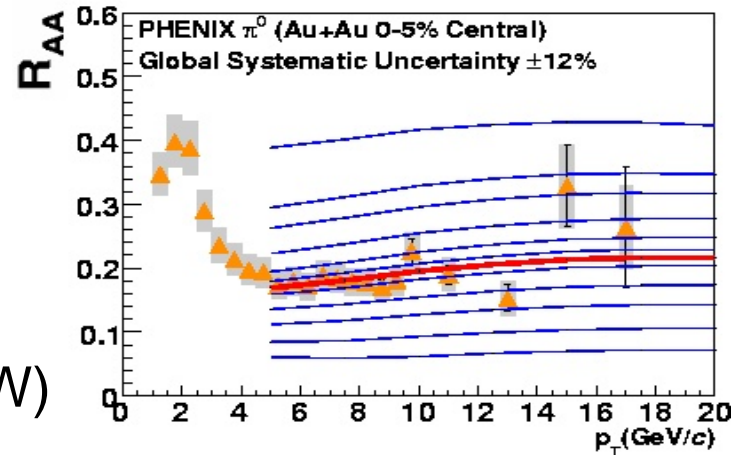
$$\langle \hat{q}_0 \rangle \sim 4 \text{ GeV}^2/\text{fm}$$

Temperatures [AMY]:

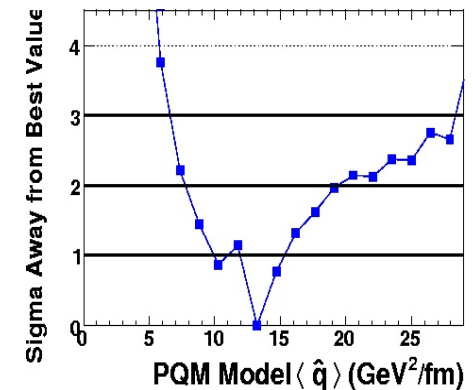
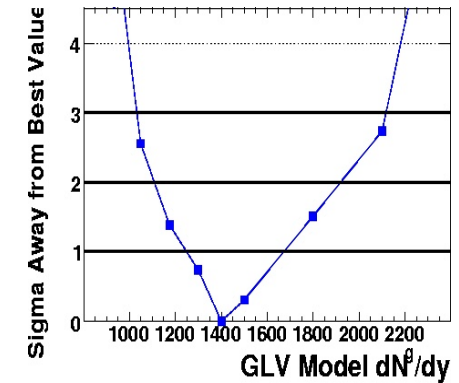
$$T \sim 0.4 \text{ GeV}$$

- Within consistent space-time evolution (3D-hydro), diff. calculations **agree** on q -hat ($\hat{q} \sim \rho$, $dN^g/dy \sim \rho$, $T \sim \hat{q}^{1/3}$) within a factor of ~ 2 -3.

More careful work needed !



PHENIX, arXiv:0801.1655

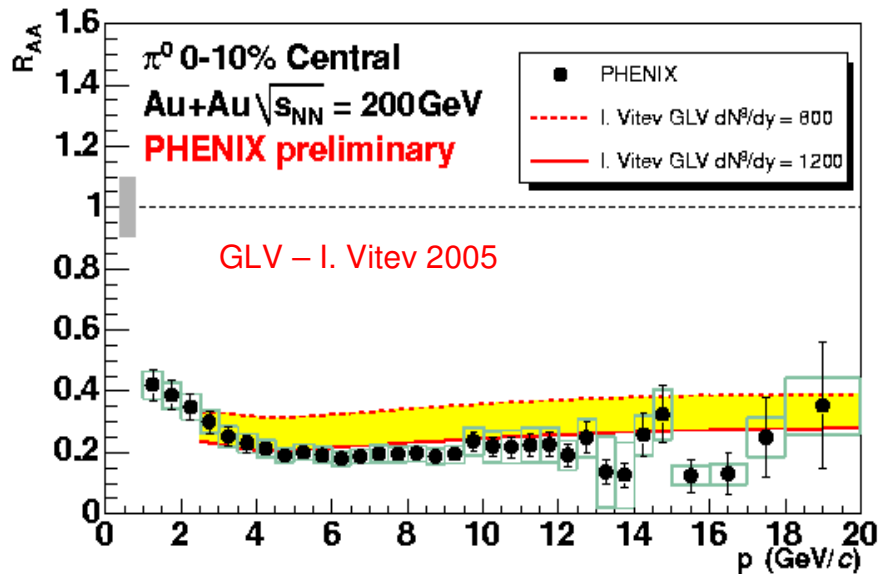


Bass-Majumder et al., arXiv:0808.0908

High p_T suppression (I): p_T -dependence



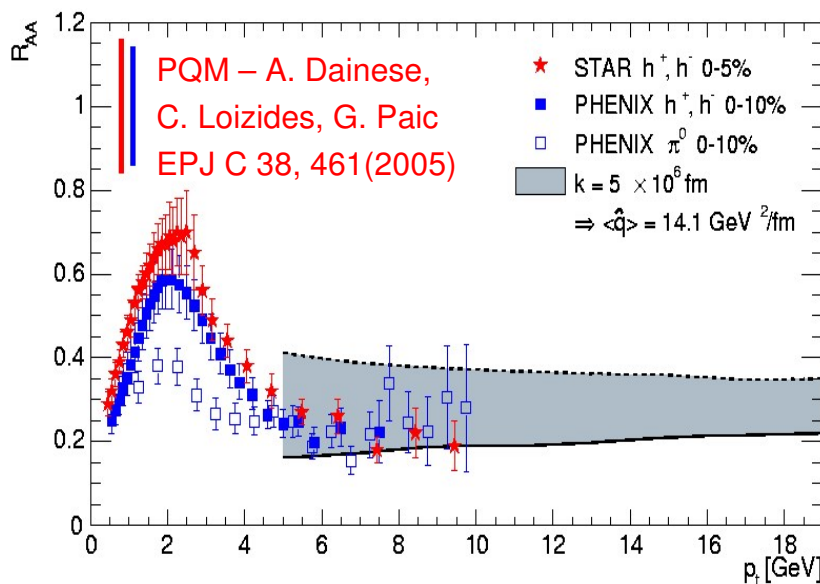
- Energy-dependence of E_{loss} (gluon bremsstrahlung):



$$\Delta E_{rad}^{LPM} \approx \alpha_s C_R \hat{q} L^2 \ln(E/(\hat{q}L))$$

Naively: $R_{AA} \sim \log(p_T)$

- Flat p_T -dependence ($R_{AA} \sim \text{const}$) predicted by parton energy loss models:

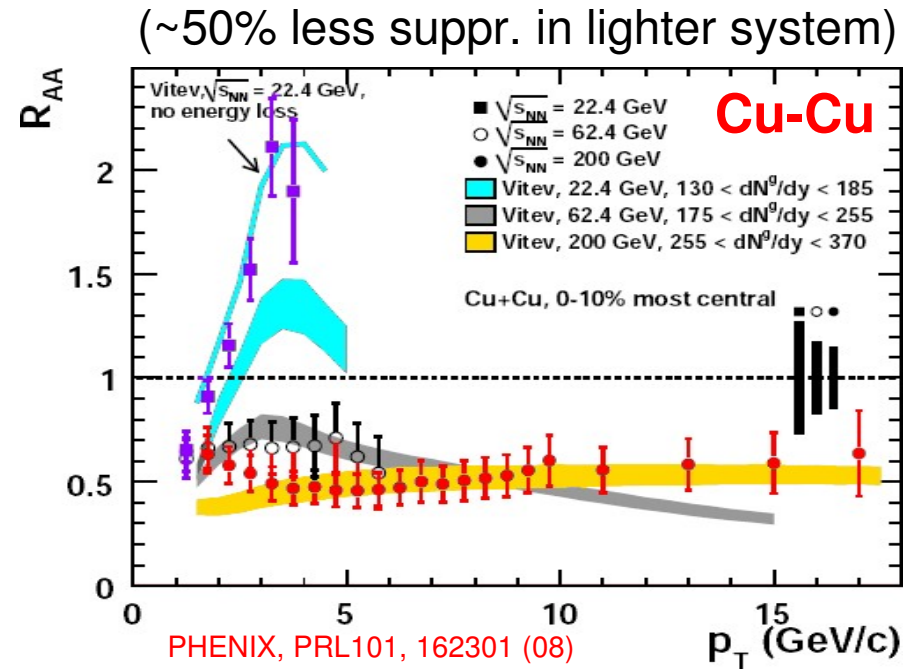
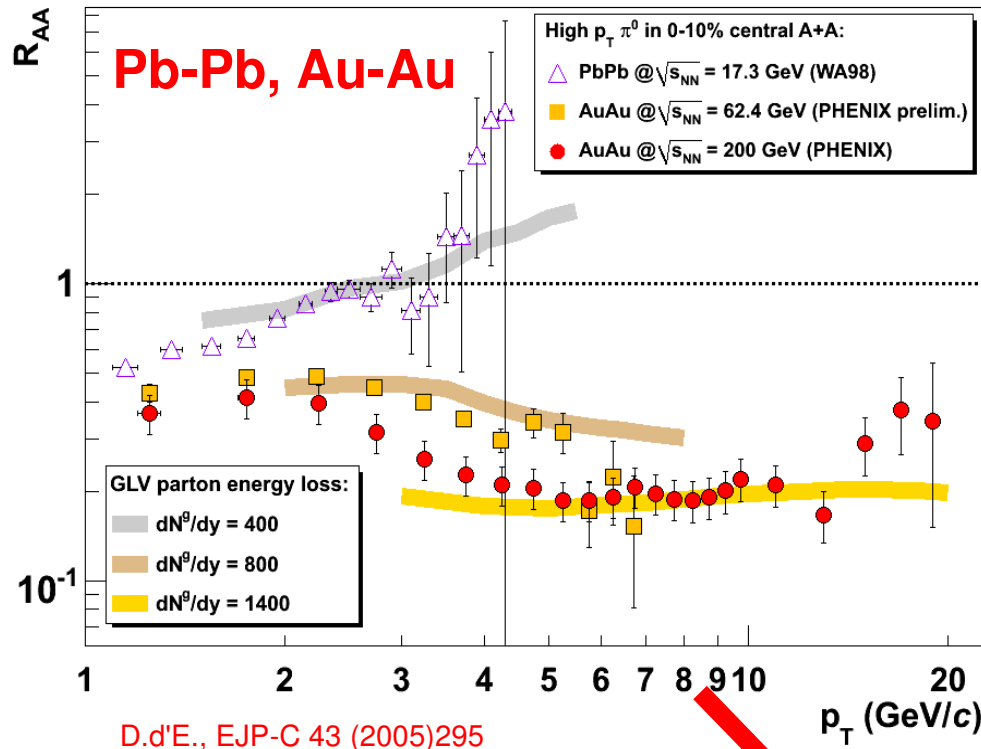


- Combination of diff. effects (kinematic constraints, local parton p_T slope, nuclear PDFs ...) yields constant quenching factor.

High p_T suppression (II): Excitation function ✓

- sqrt(s)-dependence in agreement with parton energy loss in

increasingly dense medium: $\Delta E \propto \alpha_S^3 C_R \frac{1}{A_\perp} \frac{dN^g}{dy} L$



SPS $R_{AA} \sim 1$ @ $\sqrt{s} \sim 20$ GeV \Rightarrow

RHIC $R_{AA} \sim 0.3$ @ $\sqrt{s} = 62$ GeV \Rightarrow

RHIC $R_{AA} \sim 0.2$ @ $\sqrt{s} = 200$ GeV \Rightarrow

Initial gluon density:

$dN^g/dy \sim 400$

$dN^g/dy \sim 800$

$dN^g/dy \sim 1400$

Medium transport coeff.:

$\langle q_0 \rangle \sim 3.5$ GeV²/fm

$\langle q_0 \rangle \sim 7$ GeV²/fm

$\langle q_0 \rangle \sim 14$ GeV²/fm

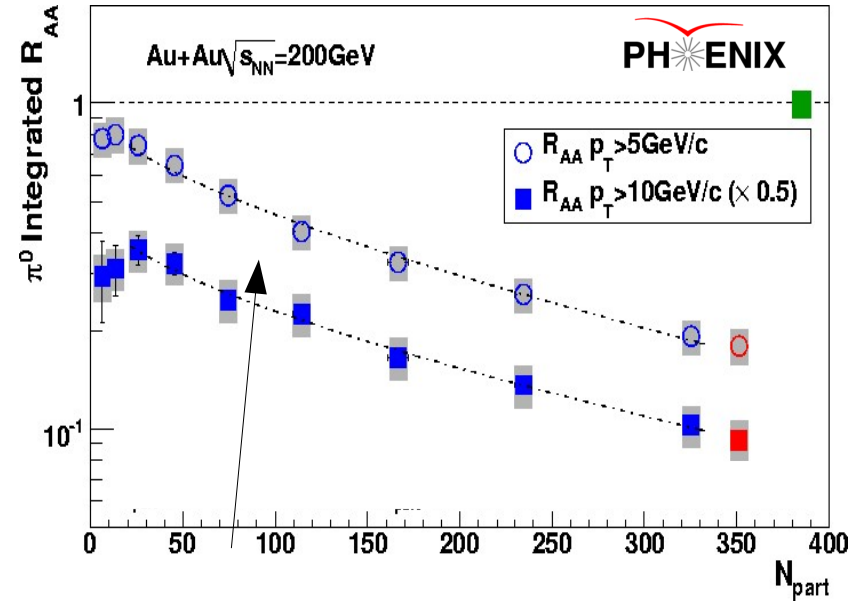
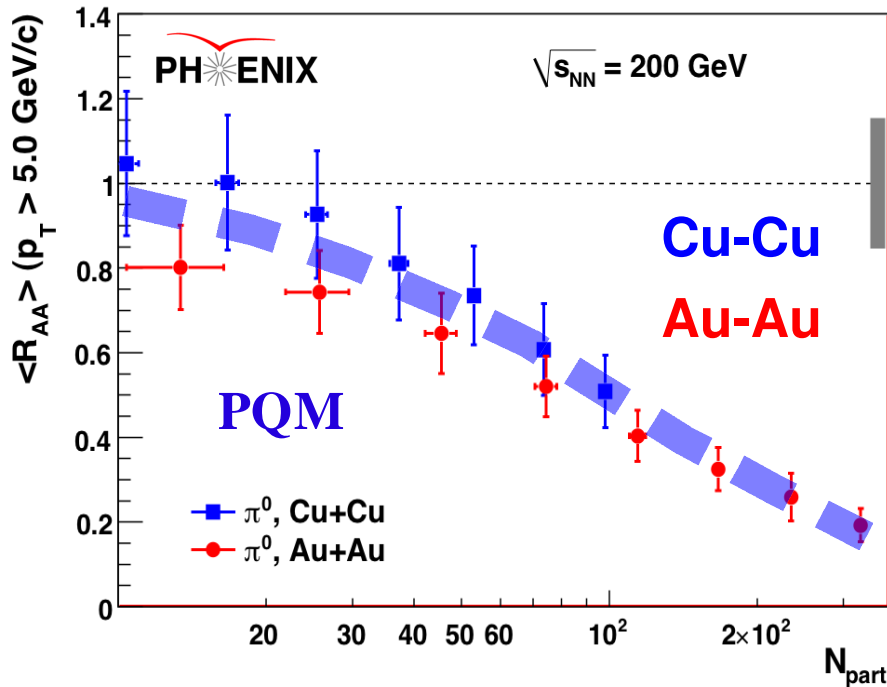
High p_T suppression (III): centrality-dependence ✓

■ Increasing centrality \Rightarrow increased $L, \rho \Rightarrow$ larger suppression

■ Theory: $\Delta E \propto \alpha_S^3 C_R \frac{1}{A_\perp} \frac{dN^g}{dy} L \Rightarrow \log(R_{AA}) \propto N_{part}^{-2/3}$

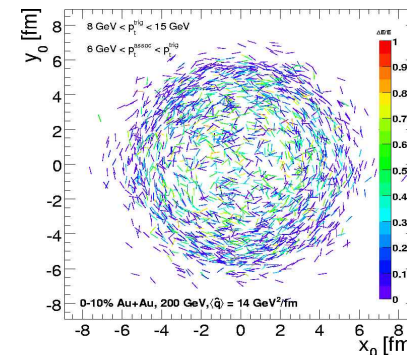
PHENIX, arXiv:0801.4020

Same suppr. for all systems at equal N_{part}



$n_{EXP} \sim 0.58 \pm 0.1$ consistent with $n_{TH} \sim 2/3$

■ Agreement data \leftrightarrow models as expected for suppressions at different geometrical parton production points.



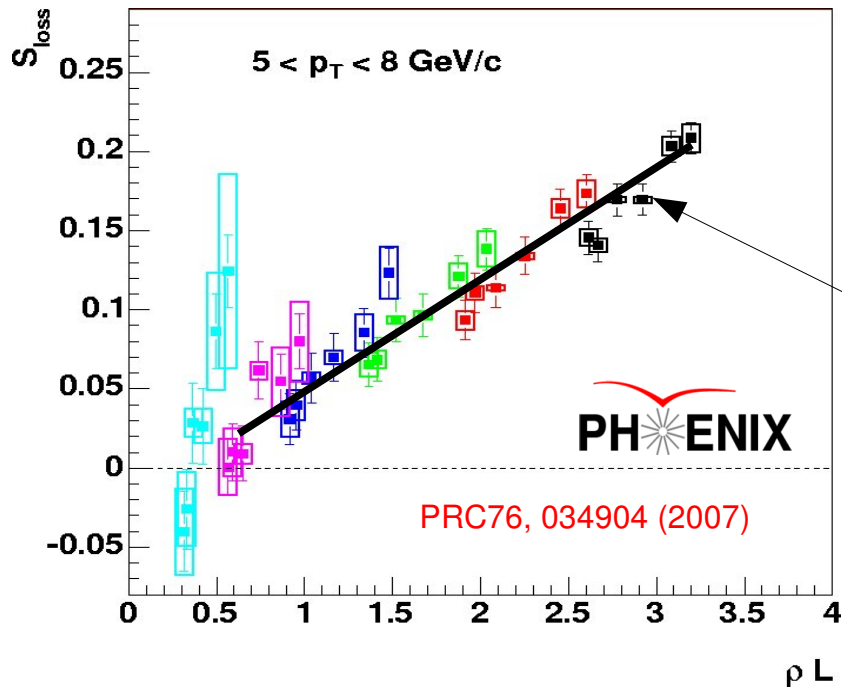
PQM -Loizides
EPJ C 38, 461(2005)

High p_T suppression (IV): path-length dependence ✓

- Parton E_{loss} path-length $\propto L^2$ (static), L (expanding):

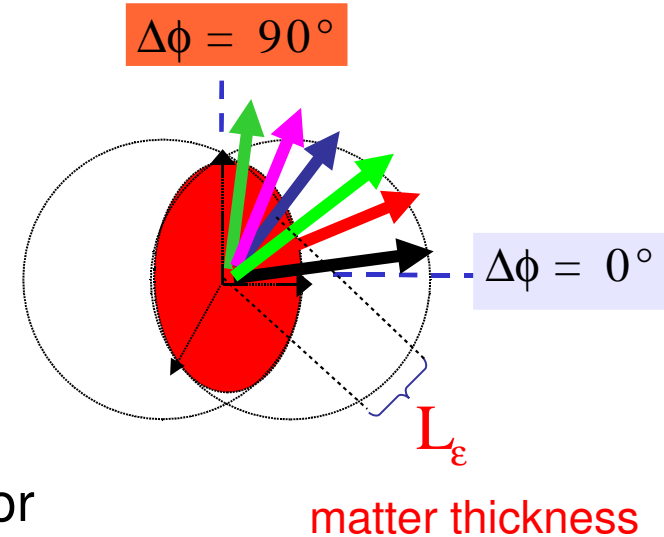
Less suppression in-plane (“short” direction)

More suppression out-of-plane (“long” direction)



E_{loss} approx.

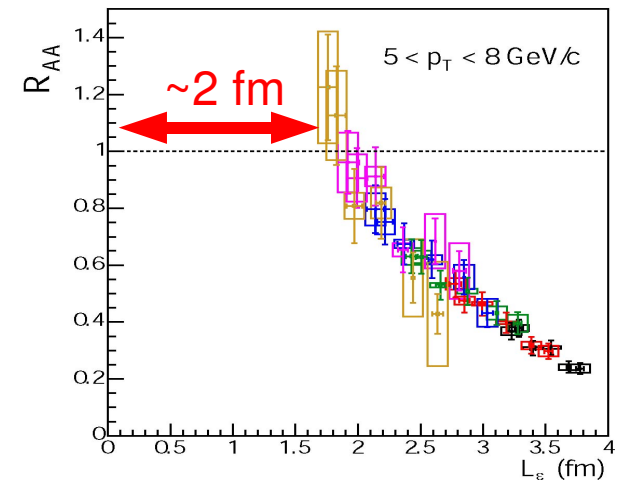
linear with ρL for
most centralities, ϕ



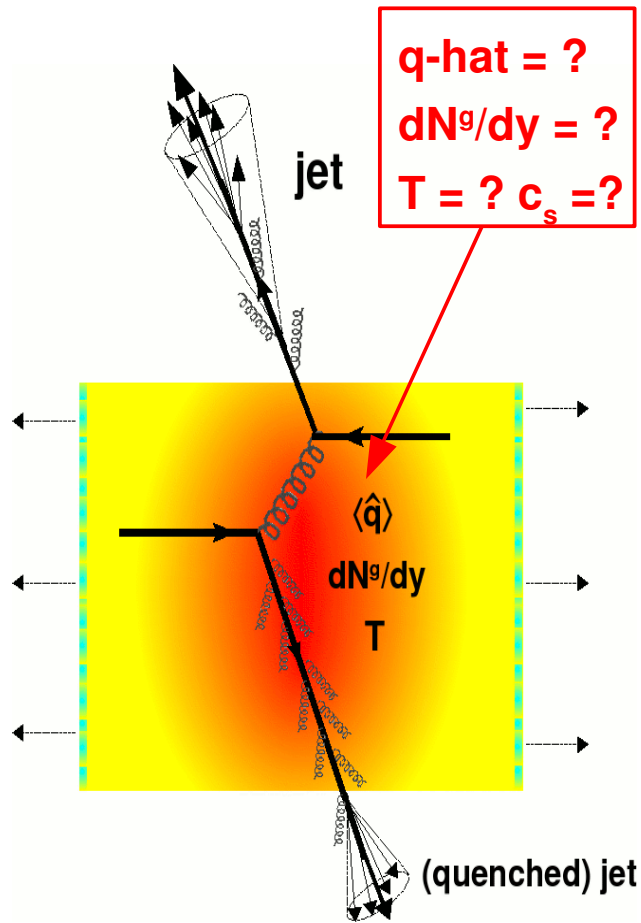
No apparent E_{loss} for $L < 2$ fm

“Corona effect” effect?

V. Pantuev hep-ph/0506095



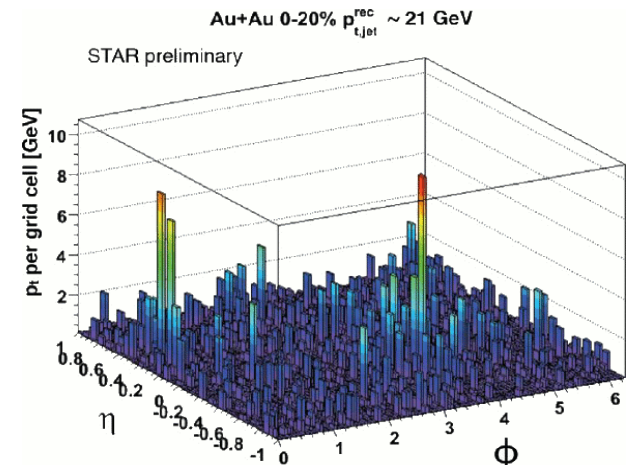
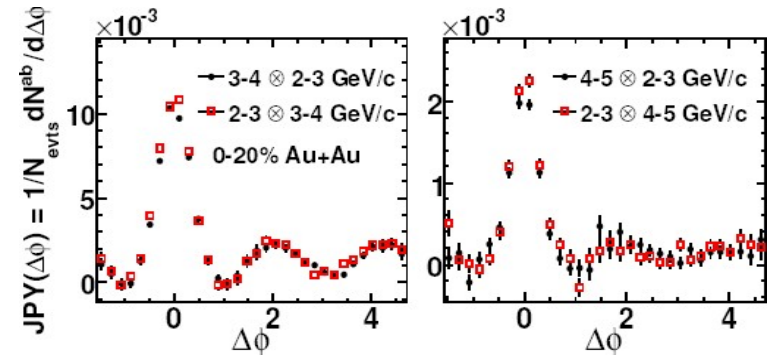
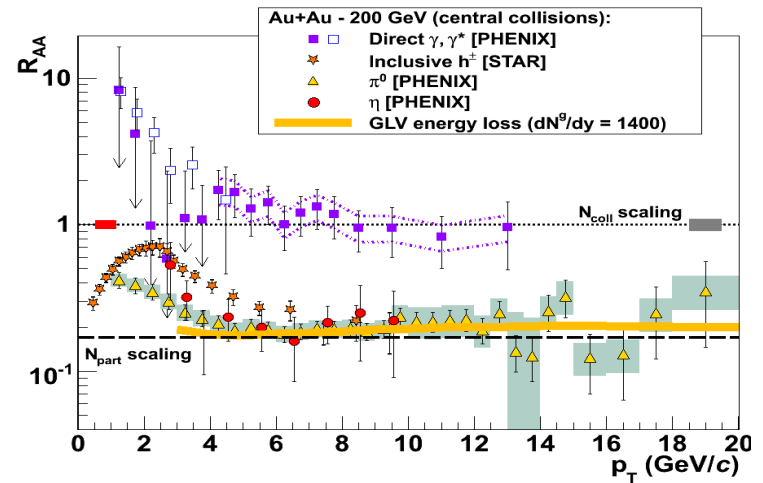
Lectures overview



■ Suppressed high- p_T hadron spectra:

■ Modified high- p_T dihadron $\Delta\phi$ correlations:

■ Full jet reco, γ -jet, modified Fragg. Functions:



Hot/dense QCD matter properties via “jet quenching”

Plan of lectures

1st

0. **Introduction**: QCD matter, Heavy-ions, jet-quenching

1. **High- p_T leading hadron** suppression:

- pQCD factorization, quenching factor (R_{AA}): QGP q -hat, dN^g/dy
- $R_{AA}(p_T, \sqrt{s}, \text{cent}, L, m_q)$: data versus parton energy loss models

2nd

2. **High- p_T dihadron** correlations

- Away-side suppression: QGP q -hat
- Away-side splitting: QGP speed-of-sound(?)

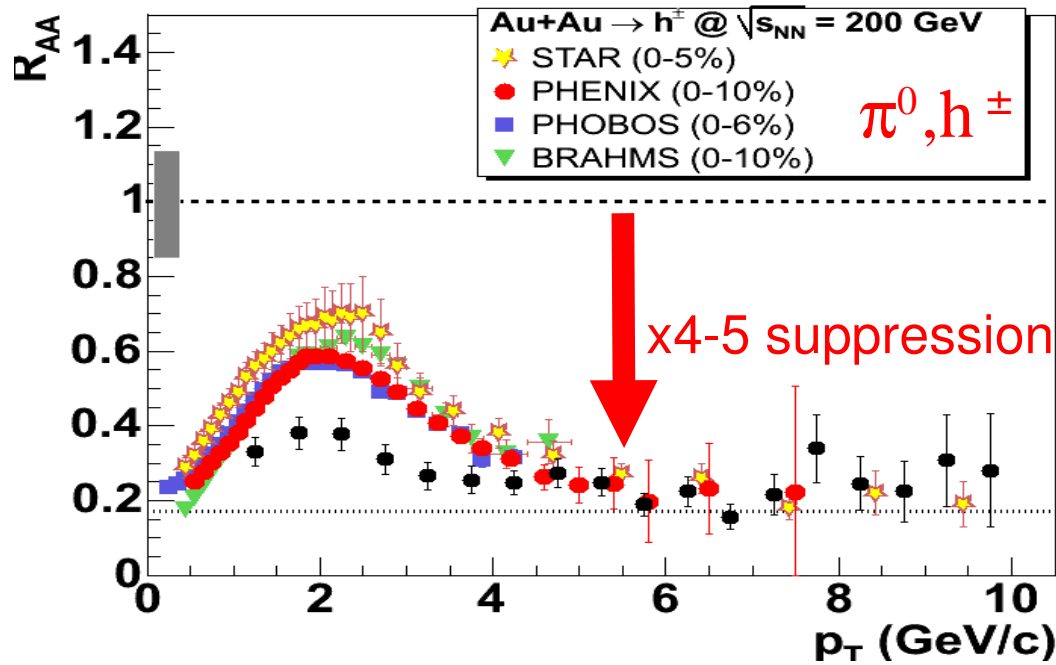
3rd

3. **Full jet measurements**:

- **Reconstruction**: Clustering algo, bckgd subtraction, corrections
- γ -jet: medium Fragmentation-Functions: QGP q -hat

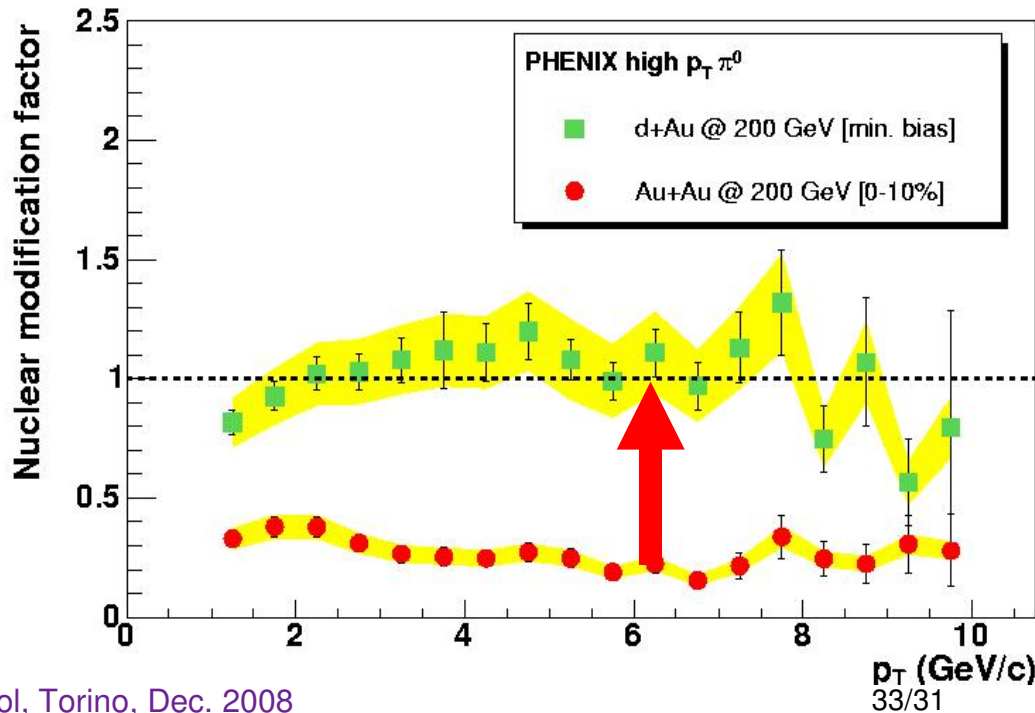
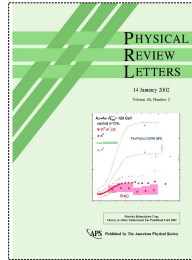
Backup slides

AuAu (dAu) @ 200 GeV: high p_T (un)suppression !



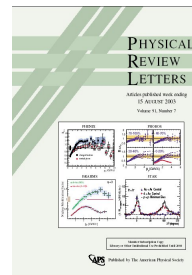
■ $R_{AA} \ll 1$: well below pQCD expectations for hard scattering x-sections in vacuum

PHENIX, PRL 88, 022301 (2002)



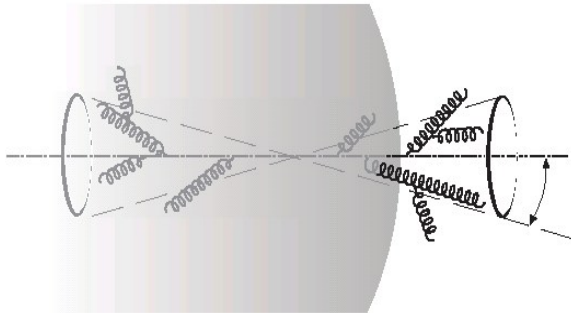
■ Au-Au suppression due to final-state interactions absent in “control” d-Au colls.

PRL 91, 0723ii (2003)



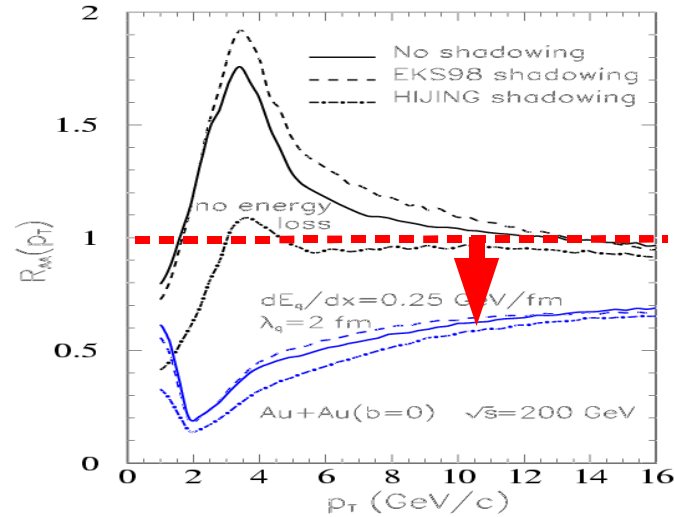
25-years of jet quenching phenomenology

■ Mono-jets:



Bjorken, FERMILAB-PUB-82-059-THY.1982

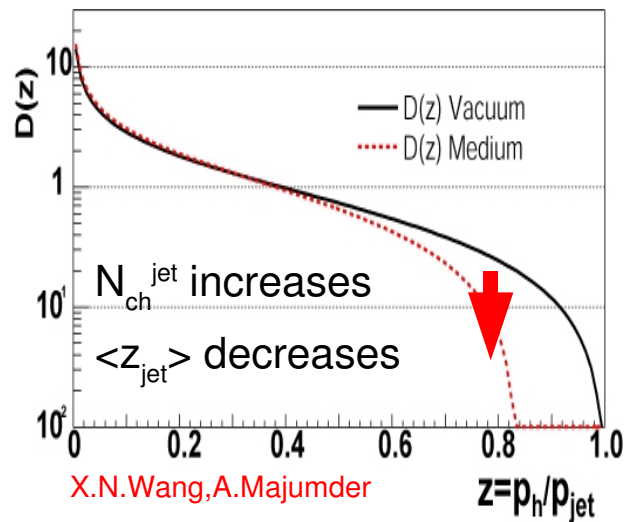
■ Leading hadron suppression:



XNWang&Gyulassy
PRL 68, 1480 (1992)

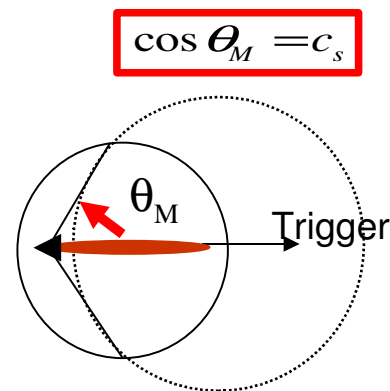
...

■ Medium-modified FFs:



X.N.Wang,A.Majumder
Salgado&Wiedemann;Arleo, ...

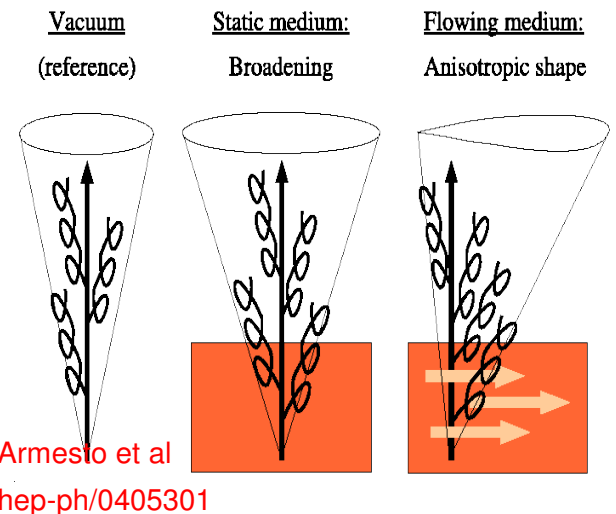
■ Mach-cones in ϕ :



Stoecker et al. hep-ph/0505245.
Casalderrey, Shuryak, hep-ph/0411315

Cerenkov angles, ...

■ Jet broadening in η :



Armesio et al
hep-ph/0405301

Hadron/Nucleus colliders: luminosity

- Collider luminosity \mathcal{L} characterizes its “ability” to deliver collisions per unit time & cross-section [$\text{m}^{-2}\text{s}^{-1}$]:

$$\mathcal{L} = \frac{kN^2 f F(\sigma_{x,y})}{4\pi\sigma_x^* \sigma_y^*}$$

k : # of bunches. $k=2808$

N : # of protons/bunch. $N=1.15 \times 10^{11}$

f : revolution frequency. $f=11.25 \text{ kHz}$

σ_x, σ_y : beam size at coll. point. $\sigma_{x,y}=16 \mu\text{m}$

$F(\sigma_{x,y})$: x-angle at coll. point. $\sigma_{x,y}=165 \mu\text{rad}$

LHC:

$$\mathcal{L} = 10^{34} \text{ cm}^{-2}\text{s}^{-1} \\ \sim 10 \text{ nb}^{-1}\text{s}^{-1} !$$

- Events collected in time t for process with cross-section σ : $N = \int \mathcal{L} dt \sigma$

- To maximize \mathcal{L} :

$$\text{LHC: } \int \mathcal{L} dt = 100 \text{ fb}^{-1} \text{ in } 1\text{-year } (10^7 \text{ s})$$

- (1) Many bunches (k)
- (2) Many particles per bunch (N^2)
- (3) Small beam-size: $\sigma_u^* = (\beta^* \epsilon)^{1/2}$
- (4) Crossing angle: $F(\sigma_{x,y})$

High beam “brilliance” N/ϵ (particles per phase space vol.) \rightarrow Injector chain performance !

Small envelope \rightarrow Strong focusing !

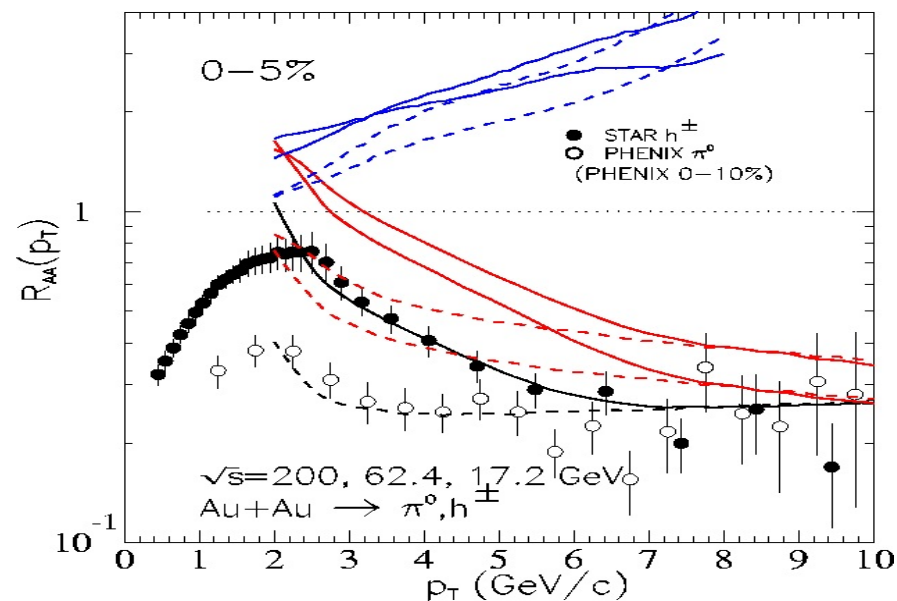
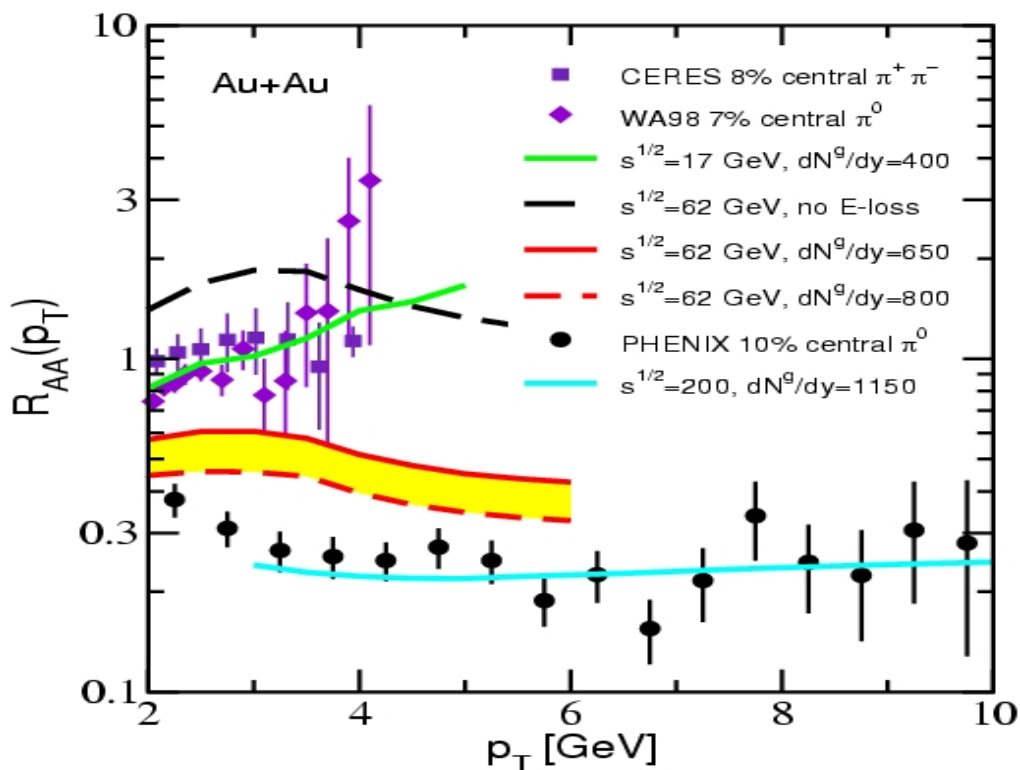
Beam overlap at IP \rightarrow Beam-lines

$$(\text{LHC: } 10^{34} \text{ cm}^{-2}\text{s}^{-1} \gg \text{Tevatron: } 2 \cdot 10^{32} \text{ cm}^{-2}\text{s}^{-1} \gg \text{SppS: } 6 \cdot 10^{30} \text{ cm}^{-2}\text{s}^{-1})$$

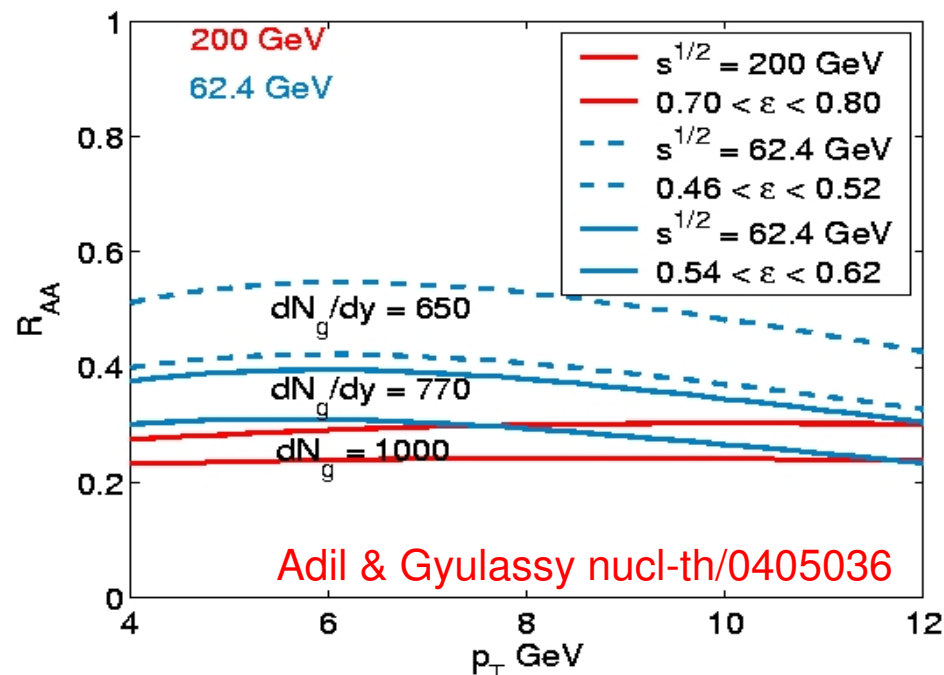
Au+Au @ 62.4 GeV (central): suppression predictions

$$R_{AA}(\pi^0) \sim 0.5 - 0.3$$

I. Vitev nucl-th/0404052



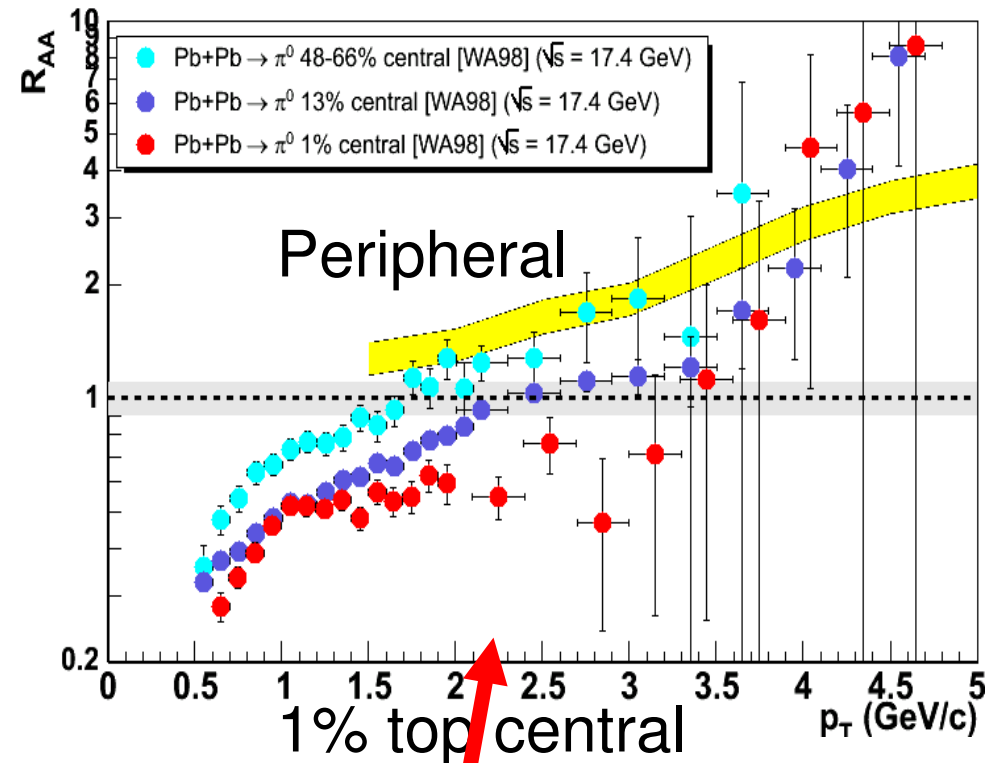
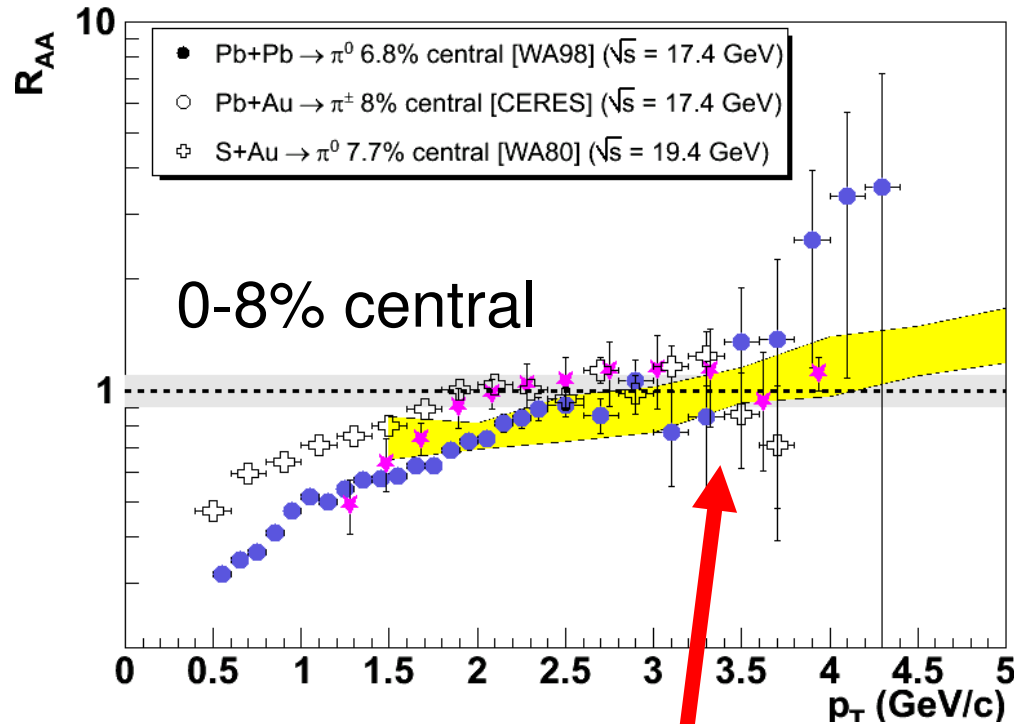
X.N. Wang nucl-th/0405029



Adil & Gyulassy nucl-th/0405036

High p_T @ CERN-SPS: Cronin or quenching ?

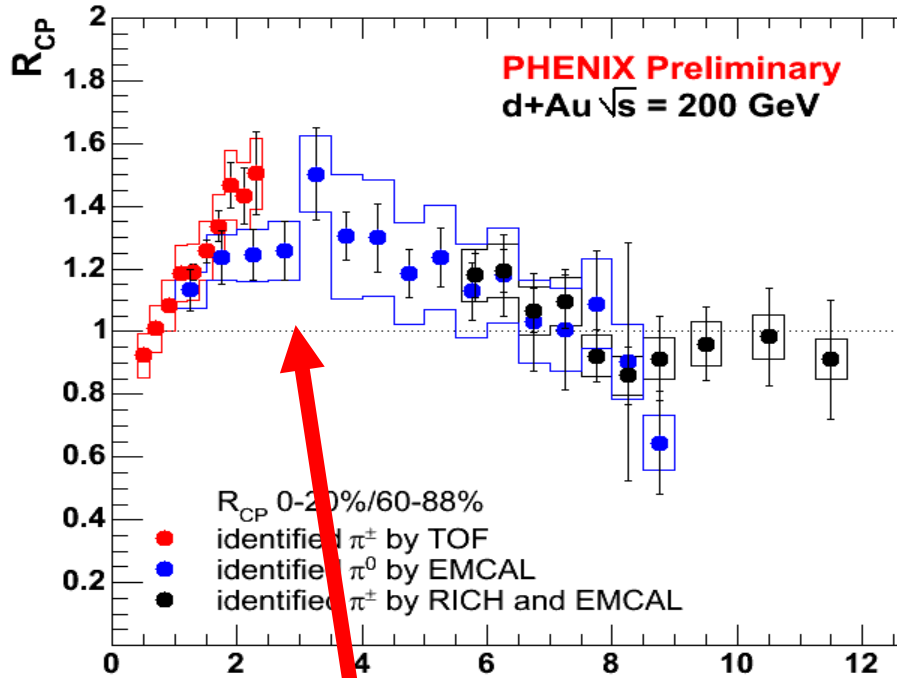
- New nuclear modification factor (better $p+p \rightarrow \pi^0$ ref. @ $\sqrt{s_{NN}} = 17.3$)



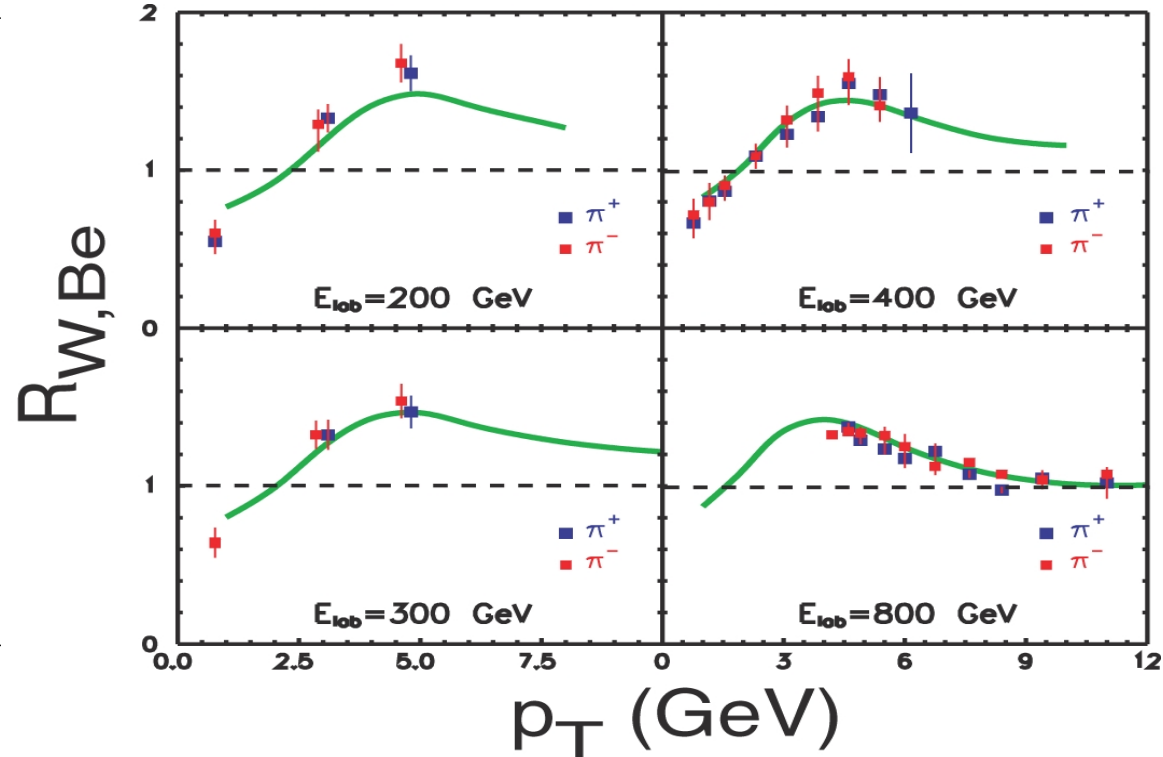
- No Cronin effect in central collisions ($R_{AA} \sim 1$).
- Cronin enhancement in peripheral ... and suppression in top central ?
- Look for onset of suppression at RHIC Au+Au, p+p @ $\sqrt{s_{NN}} \approx 20$ GeV ?

d+Au nuclear modification factor (at $y=0$)

d+Au @ $\sqrt{s_{NN}} = 200$ GeV



p+A @ $\sqrt{s_{NN}} = 20 - 40$ GeV



High p_T production in d+Au not suppressed but **enhanced!** $R_{dAu} > 1$

as in p+A “**Cronin enhancement**”:

p_T broadening due to initial-state soft & semihard scattering.

“pQCD” cross-sections ($R_{AA} \sim 1$) recovered at $p_T > 8$ GeV/c

No Au shadowing effects in kinematic region probed ($y = 0$).